

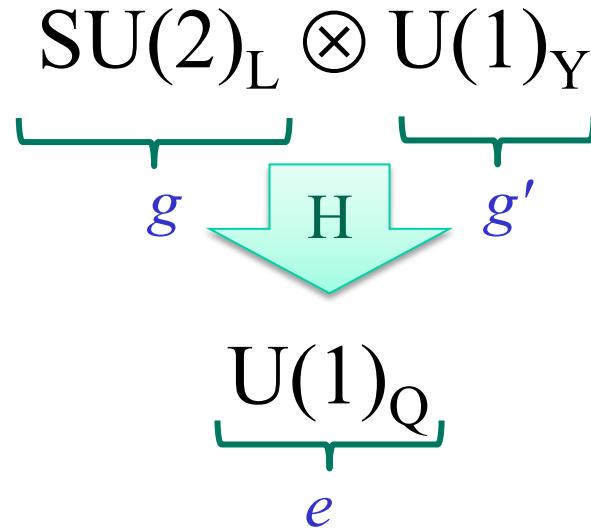


Il Modello Standard e il bosone di Higgs

Luca Lista

INFN

Il Modello Standard



$$Q = T_3 + Y/2, \tan\theta_W = g'/g$$

$$e = g \sin\theta_W$$

Doppietti leptoni (L) (ν_L, l^-_L): $Y = -1$

Doppietti quark (u, d): $Y = 1/3$

Singoletti leptoni (R) l^+_R : $Y = -2$

Singoletti quark (R) q_R : $Y = 4/3, -2/3$

Three Generations of Matter (Fermions)				
	I	II	III	
mass \rightarrow	2.4 MeV	1.27 GeV	171.2 GeV	0
charge \rightarrow	$2/3$	$2/3$	$2/3$	0
spin \rightarrow	$1/2$	$1/2$	$1/2$	1
name \rightarrow	u up	c charm	t top	γ photon
Quarks				
mass \rightarrow	4.8 MeV	104 MeV	4.2 GeV	0
charge \rightarrow	$-1/3$	$-1/3$	$-1/3$	0
spin \rightarrow	$1/2$	$1/2$	$1/2$	1
name \rightarrow	d down	s strange	b bottom	g gluon
Leptons				
mass \rightarrow	<2.2 eV	<0.17 MeV	<15.5 MeV	91.2 GeV
charge \rightarrow	0	0	0	0
spin \rightarrow	$1/2$	$1/2$	$1/2$	1
name \rightarrow	ν_e electron neutrino	ν_μ muon neutrino	ν_τ tau neutrino	Z^0 weak force
Bosons (Forces)				
mass \rightarrow	0.511 MeV	105.7 MeV	1.777 GeV	80.4 GeV
charge \rightarrow	-1	-1	-1	± 1
spin \rightarrow	$1/2$	$1/2$	$1/2$	1
name \rightarrow	e electron	μ muon	τ tau	W^\pm weak force

$$M_Z = \sqrt{g^2 + g'^2} \frac{\nu}{2} = \frac{M_W}{\cos\theta_W}$$

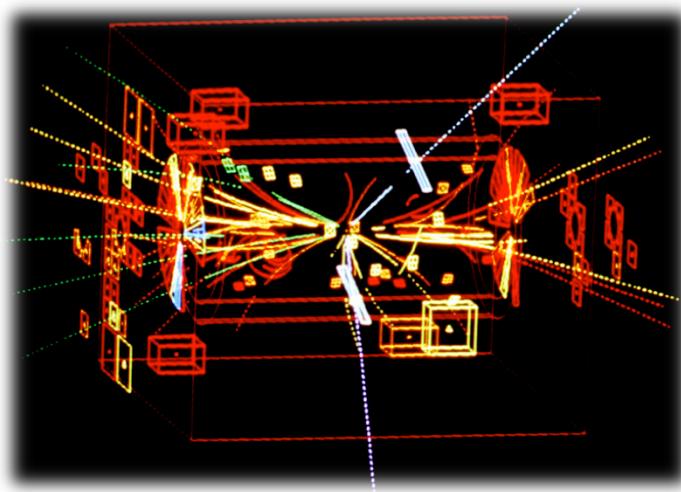
$$\sin^2\theta_W = 1 - \frac{M_W^2}{M_Z^2}$$

L'osservazione di W e Z

- Gargamelle (CERN, 1973) misurò reazioni di un fascio di neutrini prodotti dal PS (protoni da 28 GeV)
 - Segnatura: vertice di interazione senza produzione di leptoni
- UA1 e UA2 (CERN, 1983) osservarono la produzione diretta di W e Z in collisioni p-p^{bar} all'SPS a 450+450 GeV

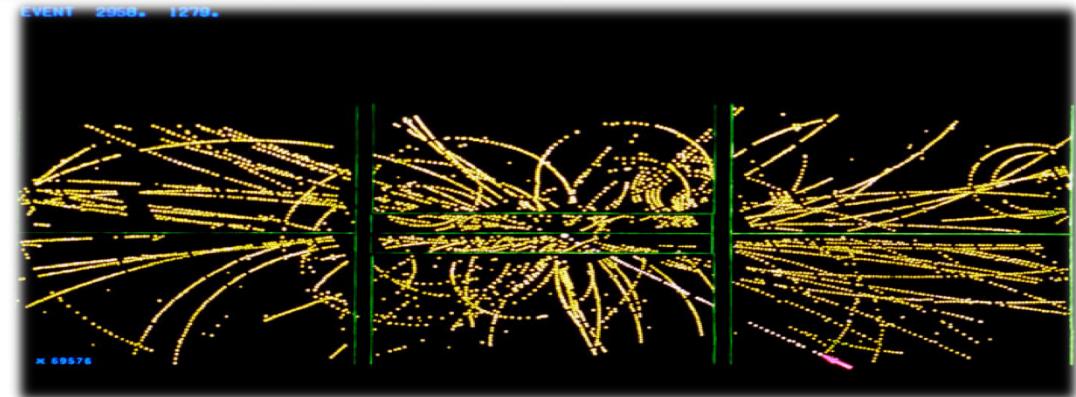
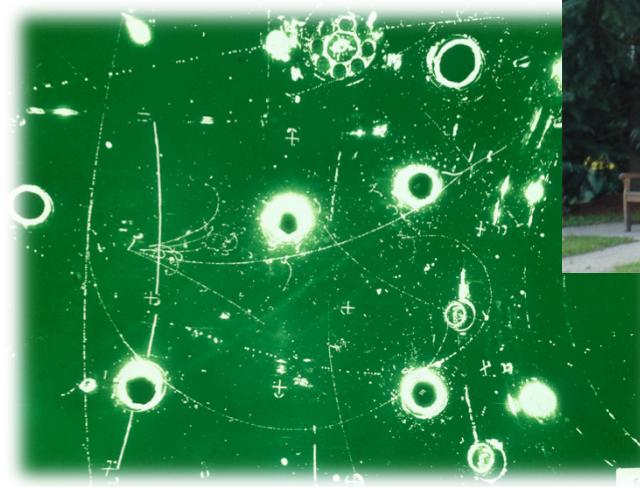


F. J. Hasert et al.,
Phys. Lett. B46, 138 (1973)



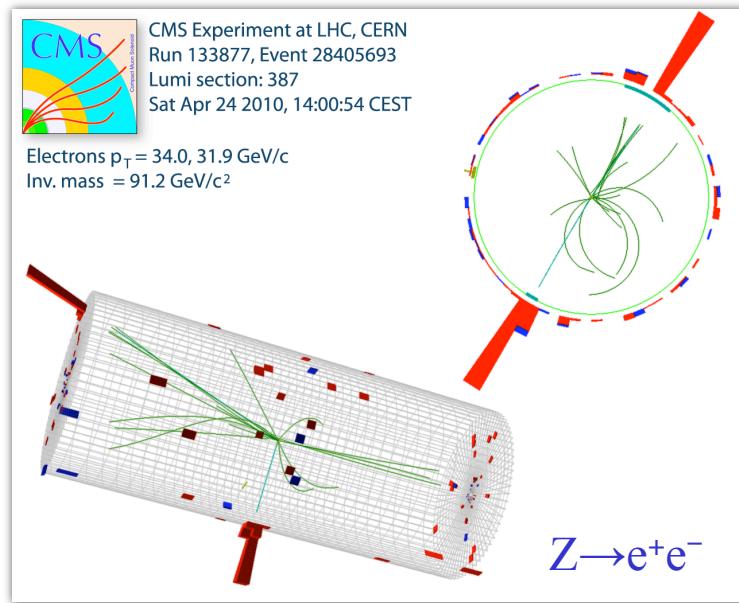
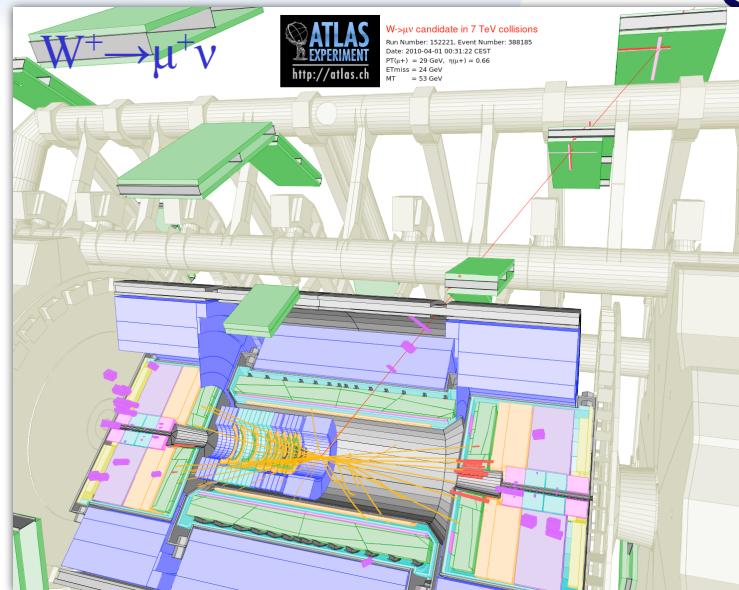
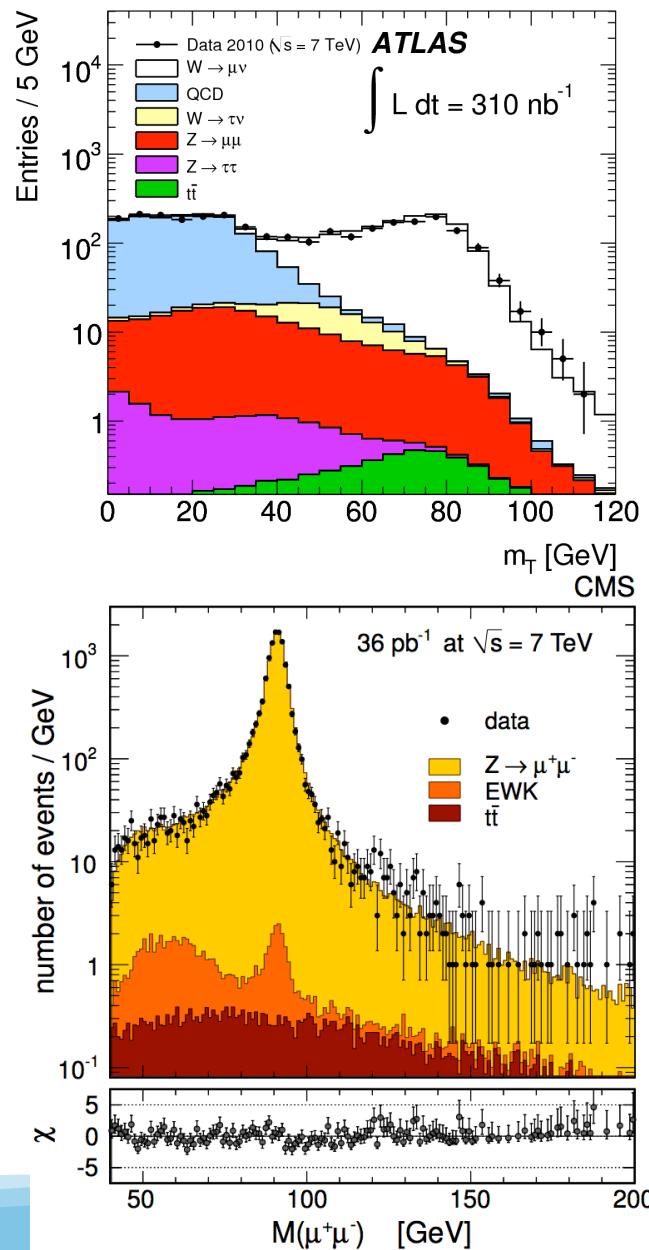
$$Z \rightarrow \mu^+ \mu^-$$

$$W \rightarrow l\nu$$



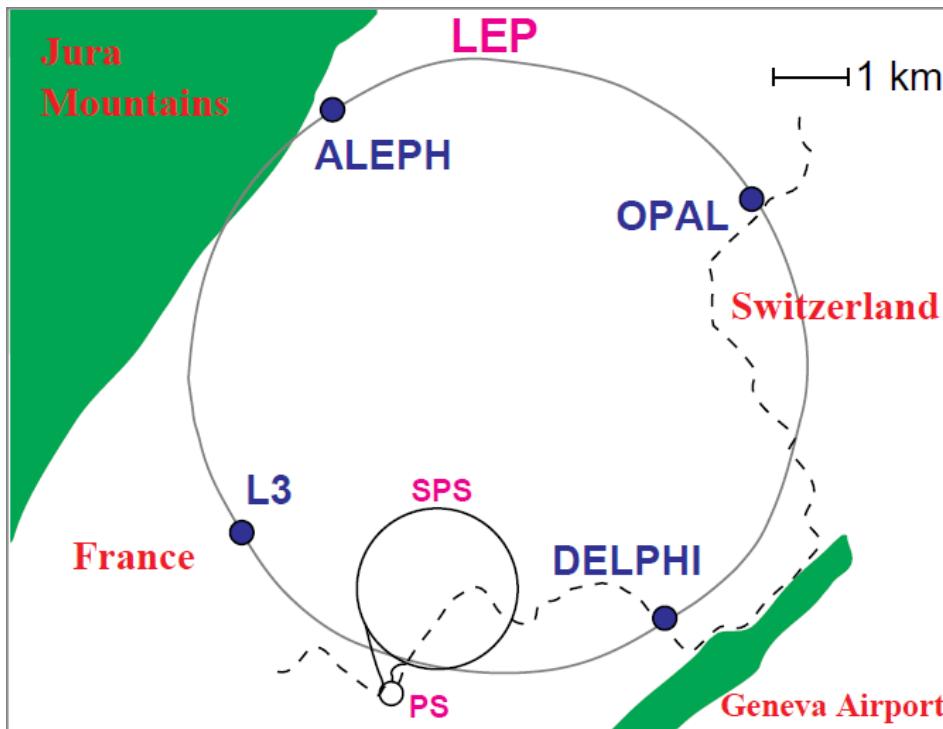


W e Z ad LHC (7 TeV)



Verifiche del Modello Standard

- Misure di precisione al **LEP** e **SLC** in collisioni elettrone-positrone con energia (1989-2000)
 - Il LEP usò l'attuale tunnel di LHC
- Energia nel c.m. intorno alla massa della Z (risonanza!)
- Misure di precisione da milioni di decadimenti della Z

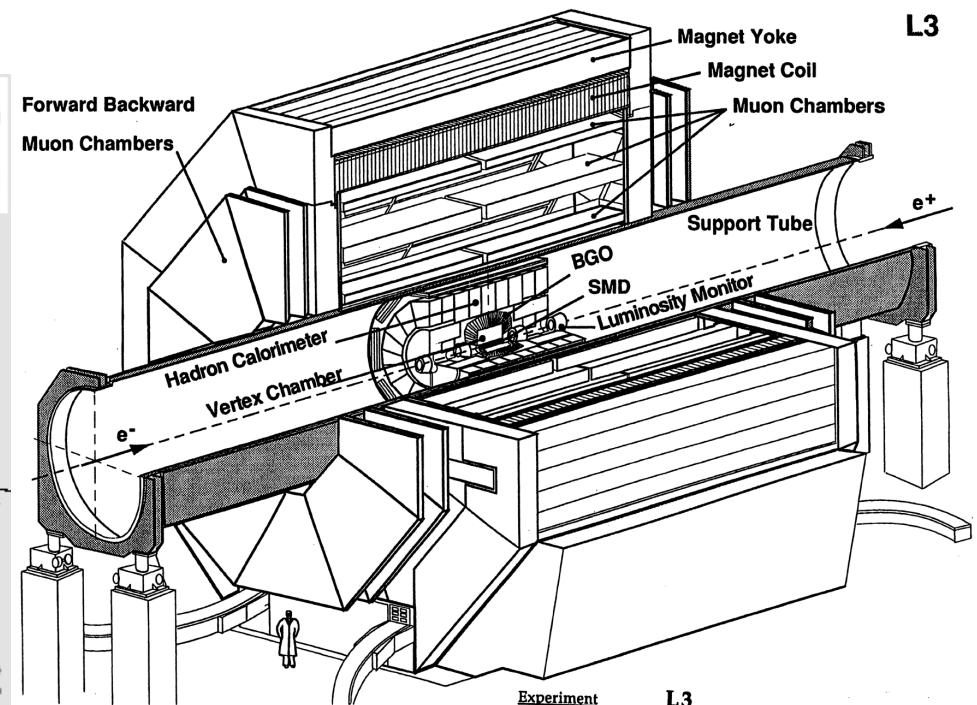
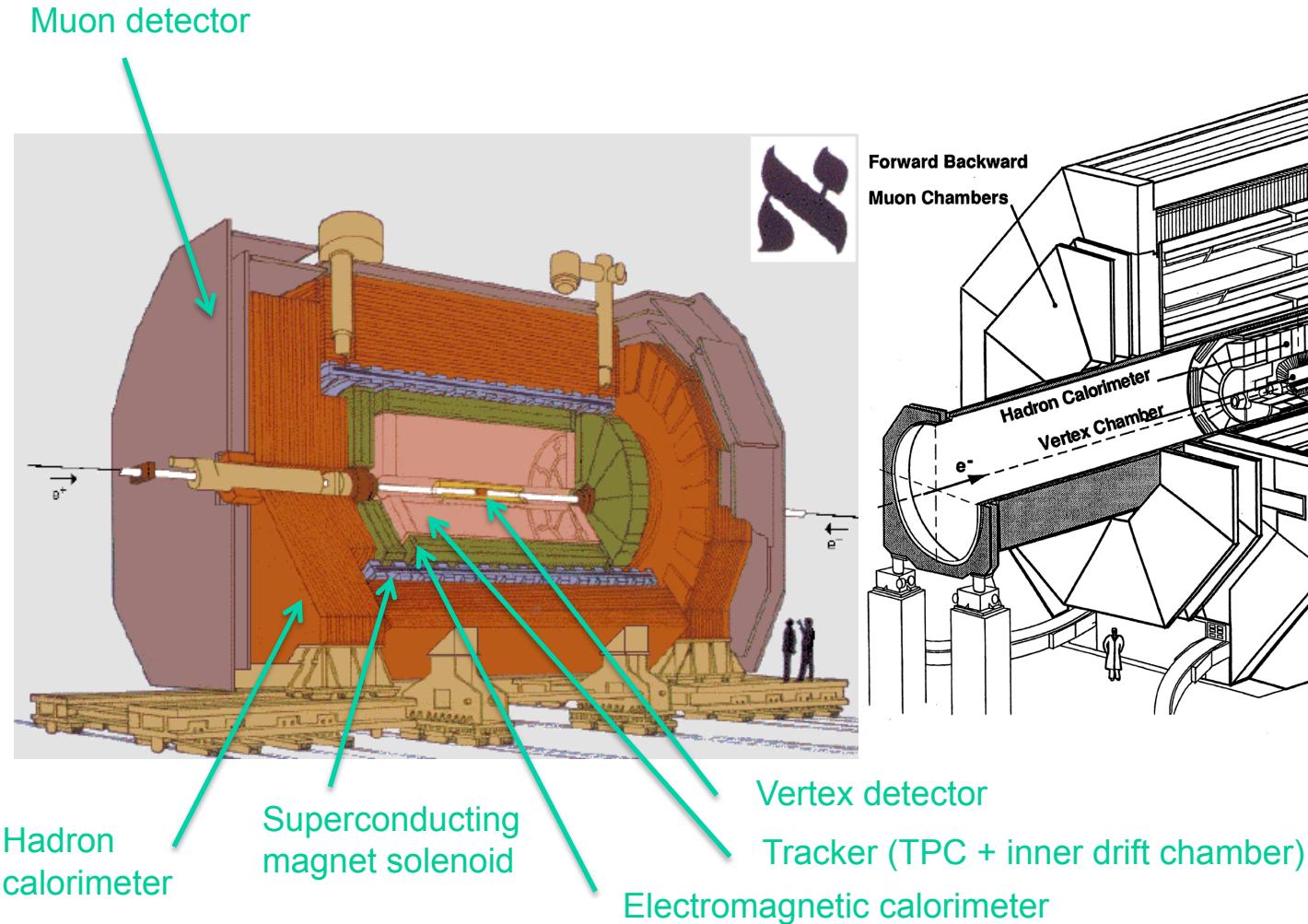


Year	Number of Events ($\times 10^3$)									
	$Z \rightarrow q\bar{q}$					$Z \rightarrow \ell^+\ell^-$				
	A	D	L	O	LEP	A	D	L	O	LEP
1990/91	433	357	416	454	1660	53	36	39	58	186
1992	633	697	678	733	2741	77	70	59	88	294
1993	630	682	646	649	2607	78	75	64	79	296
1994	1640	1310	1359	1601	5910	202	137	127	191	657
1995	735	659	526	659	2579	90	66	54	81	291
Total	4071	3705	3625	4096	15497	500	384	343	497	1724

$$\begin{aligned}
 m_Z &= 91.1875 \pm 0.0021 \text{ GeV} \\
 \Gamma_Z &= 2.4952 \pm 0.0023 \text{ GeV} \\
 \rho_\ell &= 1.0050 \pm 0.0010 \\
 \sin^2 \theta_{\text{eff}}^{\text{lept}} &= 0.23153 \pm 0.00016 .
 \end{aligned}$$

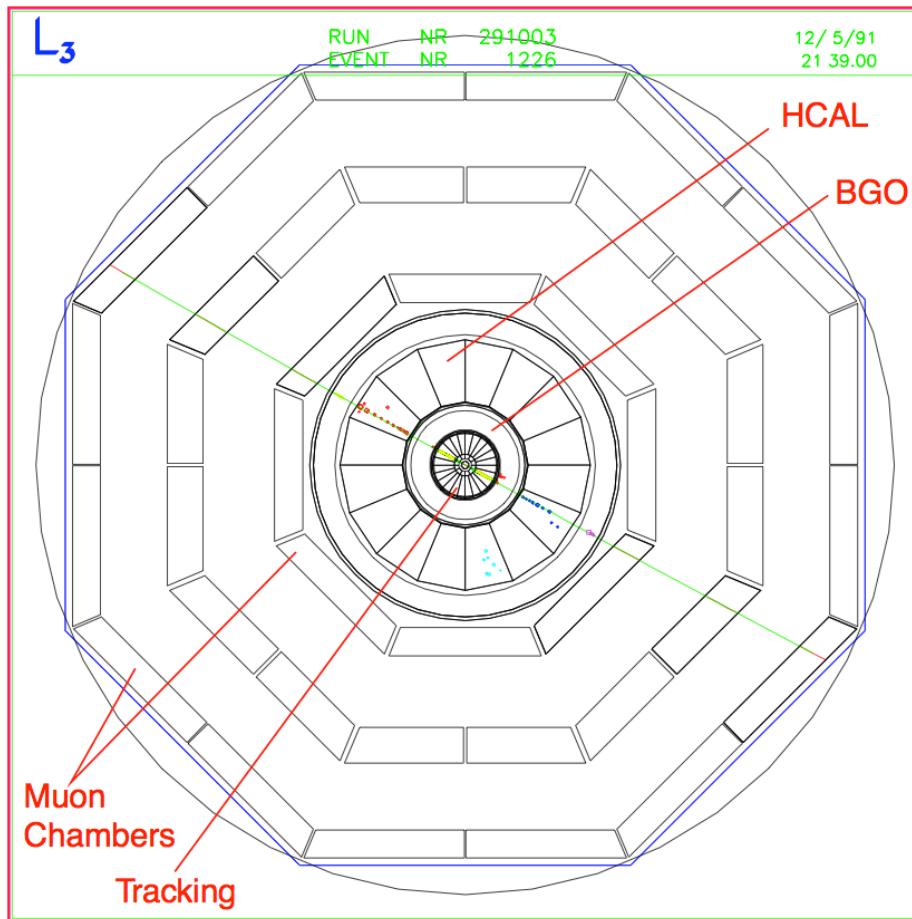
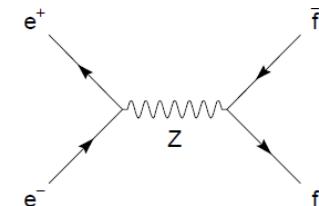
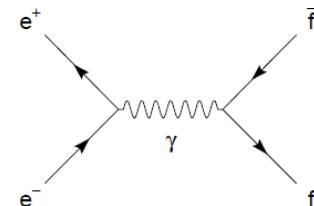


Due esperimenti LEP: τ e L3

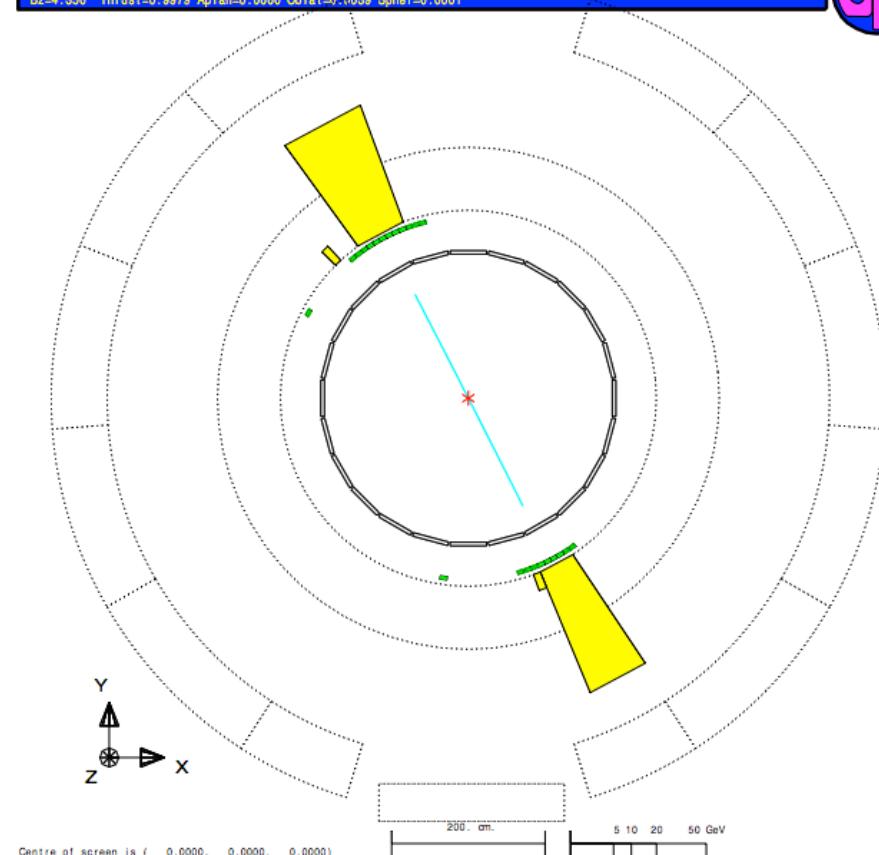




$e^+e^- \rightarrow \mu^+\mu^-, e^+e^-$

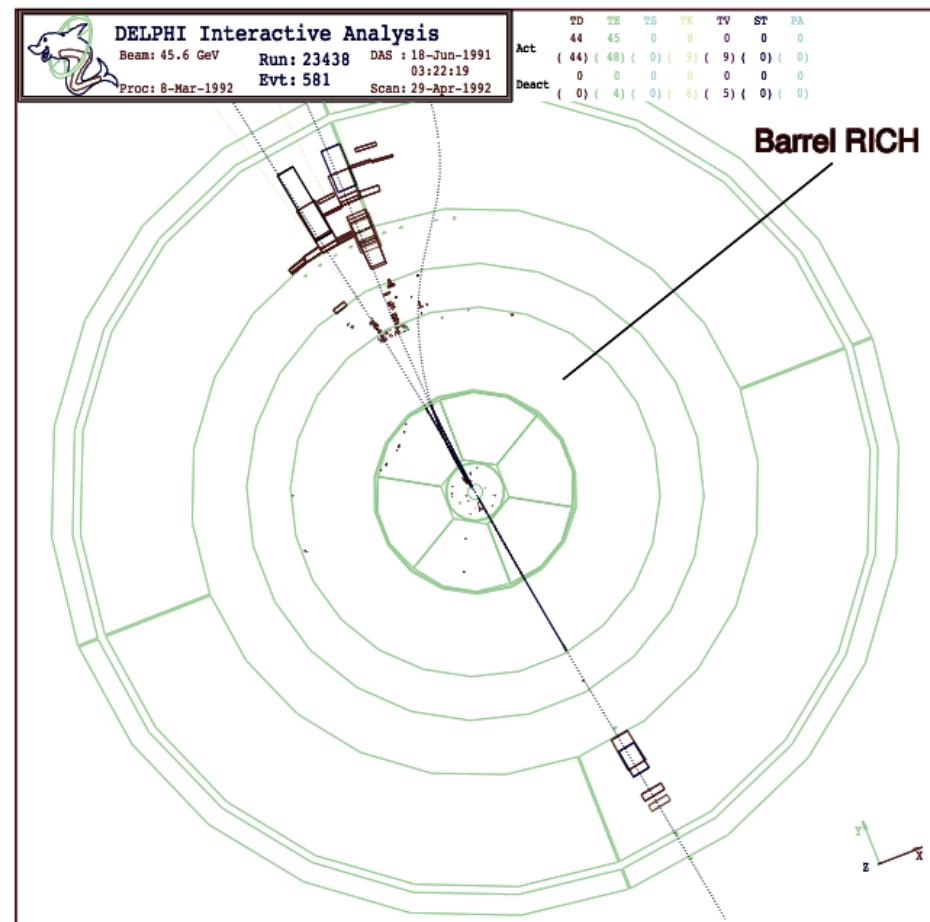
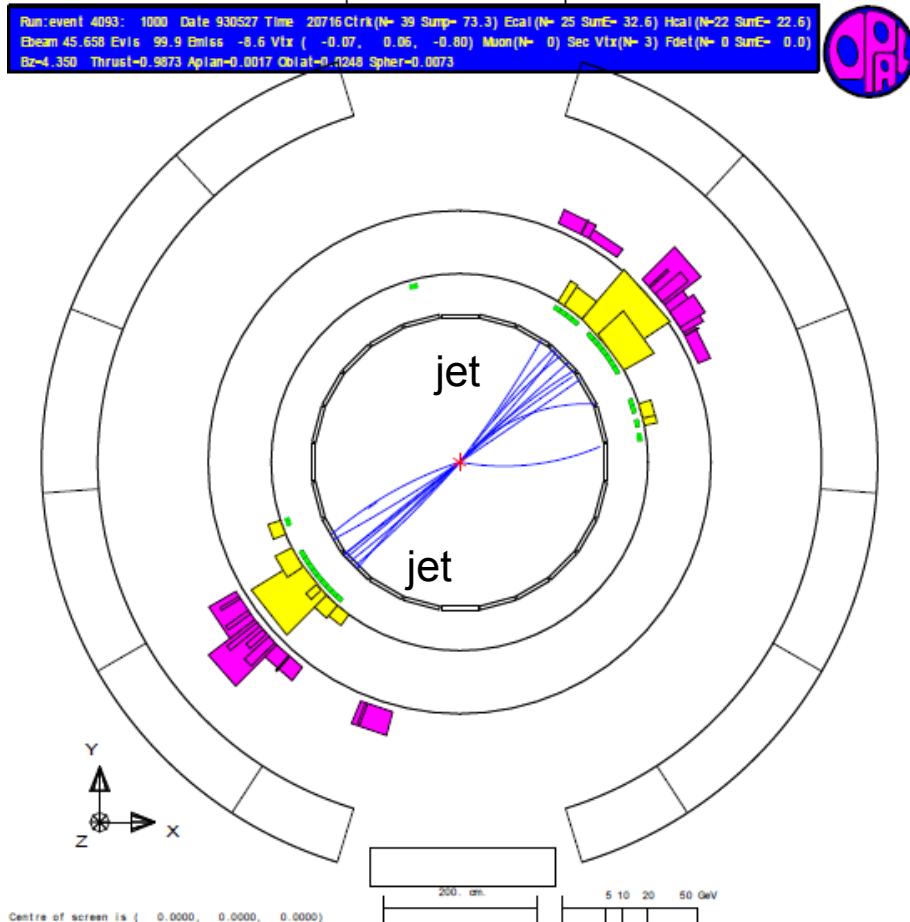


```
Run:event 4093: 1150 Date 930527 Time 20751 Ctrk(N= 2 SumE= 92.4) Ecal(N= 9 SumE= 90.5) Hcal(N= 0 SumE= 0.0)
Ebeam 45.658 Evis 94.4 Emiss -3.1 Vtx (-0.05, 0.08, 0.36) Muon(N= 0) Sec Vtx(N= 0) Fdet(N= 1 SumE= 0.0)
Bz=4.350 Thrust=0.9979 Apian=0.0000 Obial=0.0039 Spher=0.0001
```

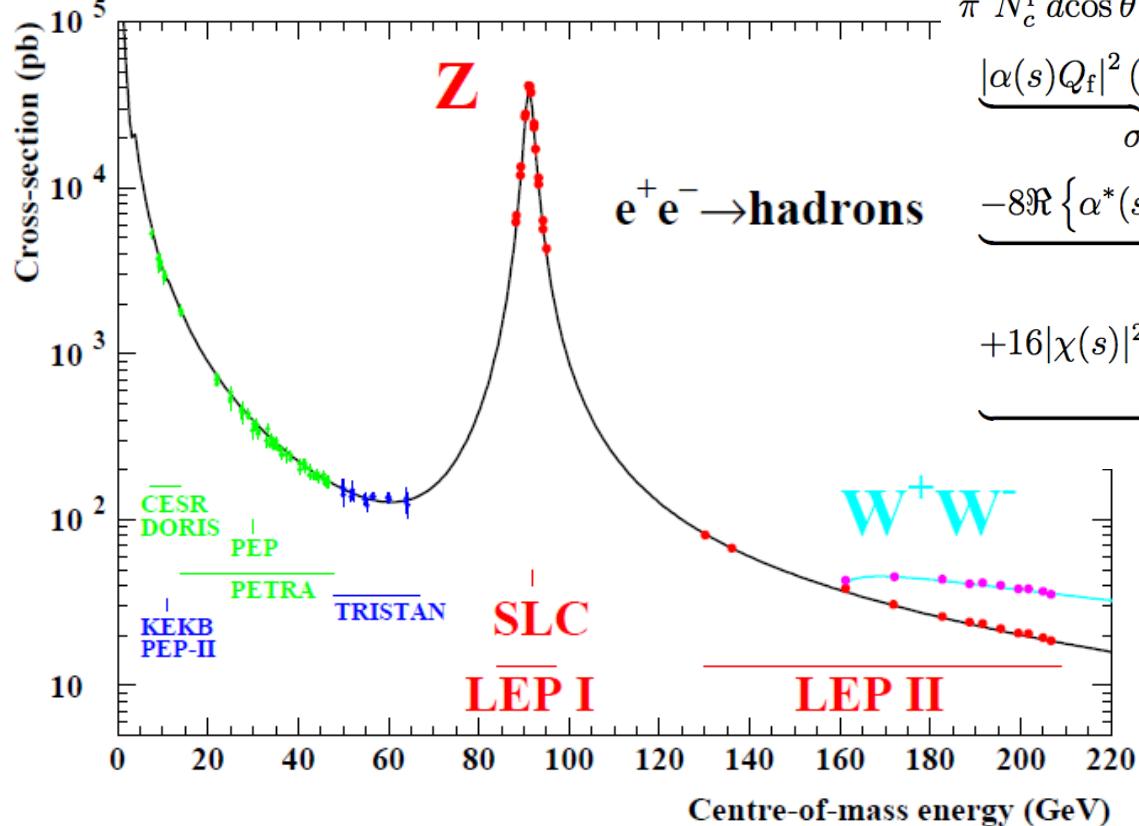




$e^+e^- \rightarrow qq, \tau^+\tau^-$



Line shape della Z



$$\frac{2s}{\pi} \frac{1}{N_c^f} \frac{d\sigma_{ew}}{d\cos\theta} (e^+e^- \rightarrow f\bar{f}) =$$

$$\underbrace{|\alpha(s)Q_f|^2 (1 + \cos^2\theta)}_{\sigma^\gamma}$$

$$\underbrace{-8\Re\left\{\alpha^*(s)Q_f\chi(s)\left[\mathcal{G}_{Ve}\mathcal{G}_{Vf}(1 + \cos^2\theta) + 2\mathcal{G}_{Ae}\mathcal{G}_{Af}\cos\theta\right]\right\}}_{\gamma-Z \text{ interference}}$$

$$\underbrace{+16|\chi(s)|^2 [(|\mathcal{G}_{Ve}|^2 + |\mathcal{G}_{Ae}|^2)(|\mathcal{G}_{Vf}|^2 + |\mathcal{G}_{Af}|^2)(1 + \cos^2\theta) + 8\Re\{\mathcal{G}_{Ve}\mathcal{G}_{Ae}^*\}\Re\{\mathcal{G}_{Vf}\mathcal{G}_{Af}^*\}\cos\theta]}_{\sigma^Z}$$

Dove:

$$\chi(s) = \frac{G_F m_Z^2}{8\pi\sqrt{2}} \frac{s}{s - m_Z^2 + is\Gamma_Z/m_Z}$$

$$\mathcal{G}_{Vf} = \sqrt{\mathcal{R}_f} (T_3^f - 2Q_f \mathcal{K}_f \sin^2 \theta_W)$$

$$\mathcal{G}_{Af} = \sqrt{\mathcal{R}_f} T_3^f.$$



Parametri del Modello Standard con
fattori di forma dovuti a correzioni di ordine superiore

Correzioni di ordine superiore

- Le correzioni radiative modificano le relazioni dello SM al tree level:

$$\rho_0 = \frac{m_W^2}{m_Z^2 \cos^2 \theta_W} = 1 \quad \rightarrow \quad \rho = 1 + \Delta\rho$$

$$\frac{g_{Vf}}{g_{Af}} = \Re\left(\frac{\mathcal{G}_{Vf}}{\mathcal{G}_{Af}}\right) = 1 - 4|Q_f| \sin^2 \theta_{\text{eff}}^f$$

$$\sin^2 \theta_{\text{eff}}^f \equiv \kappa_f \sin^2 \theta_W$$

$$g_{Vf} \equiv \sqrt{\rho_f} (T_3^f - 2Q_f \sin^2 \theta_{\text{eff}}^f)$$

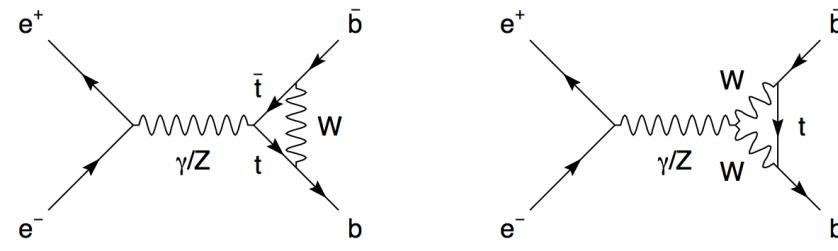
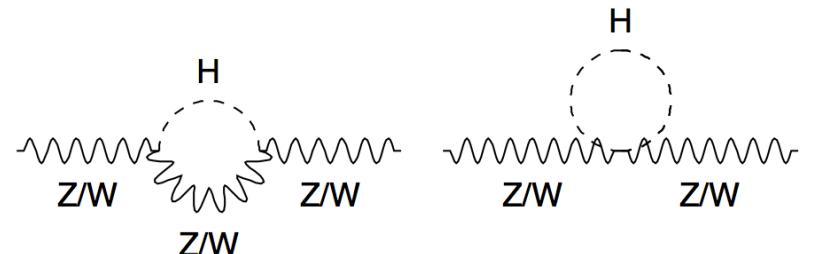
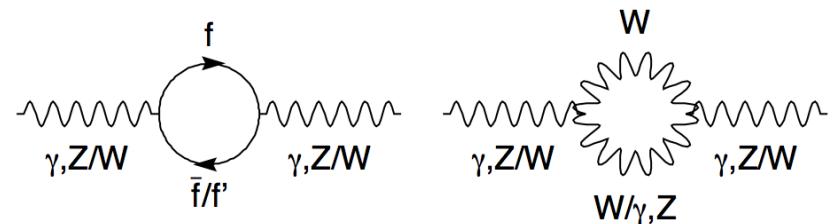
$$g_{Af} \equiv \sqrt{\rho_f} T_3^f,$$

$$\Delta\rho_{\text{se}} = \frac{3G_F m_W^2}{8\sqrt{2}\pi^2} \left[\frac{m_t^2}{m_W^2} - \frac{\sin^2 \theta_W}{\cos^2 \theta_W} \left(\ln \frac{m_H^2}{m_W^2} - \frac{5}{6} \right) + \dots \right]$$

$$\Delta\kappa_{\text{se}} = \frac{3G_F m_W^2}{8\sqrt{2}\pi^2} \left[\frac{m_t^2}{m_W^2} \frac{\cos^2 \theta_W}{\sin^2 \theta_W} - \frac{10}{9} \left(\ln \frac{m_H^2}{m_W^2} - \frac{5}{6} \right) + \dots \right]$$

$$\rho_f \equiv \Re(\mathcal{R}_f) = 1 + \Delta\rho_{\text{se}} + \Delta\rho_f$$

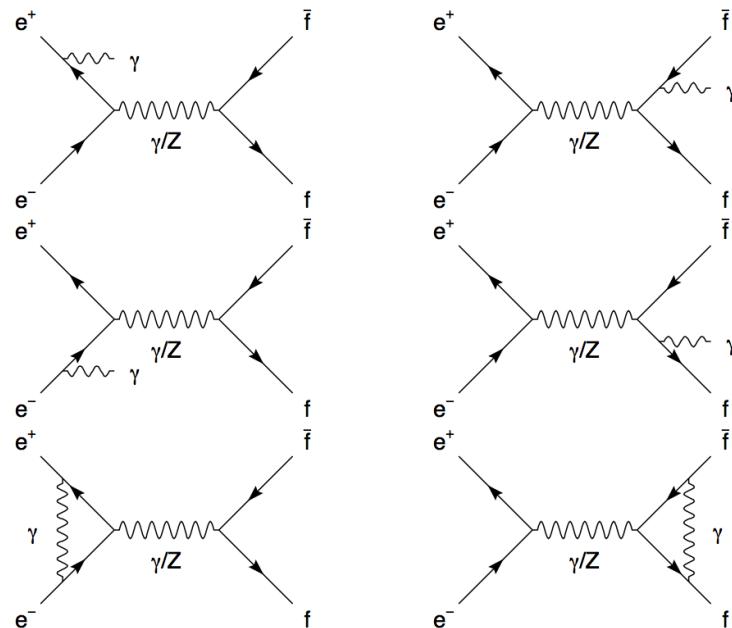
$$\kappa_f \equiv \Re(\mathcal{K}_f) = 1 + \Delta\kappa_{\text{se}} + \Delta\kappa_f$$



La produzione bb risente particolarmente della presenza del quark t

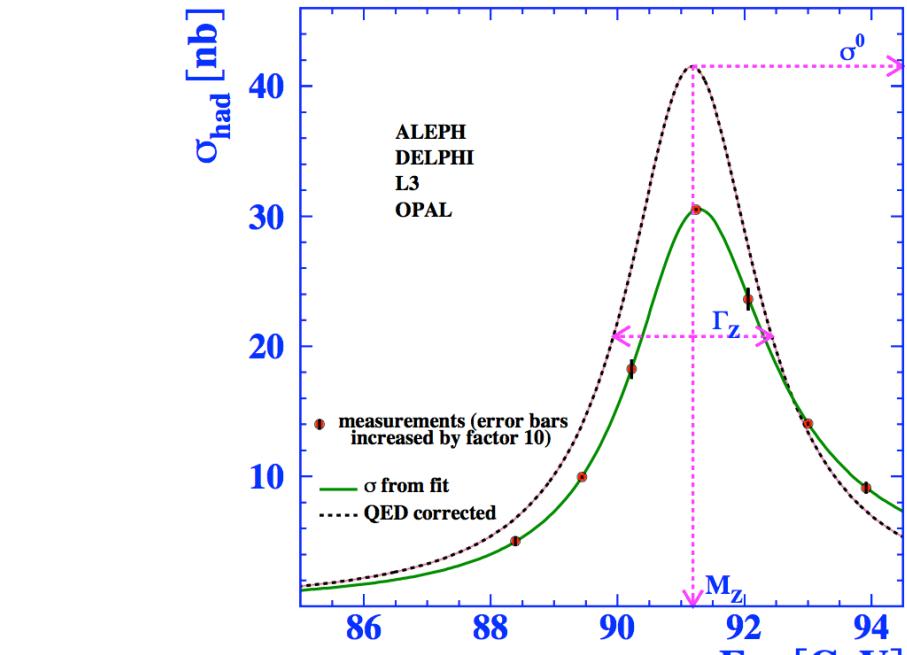
Correzioni radiative

- La radiazione di stato iniziale (e finale) distorce la line shape della Z



$$\sigma_{f\bar{f}}^Z = \sigma_{f\bar{f}}^{\text{peak}} \frac{s \Gamma_Z^2}{(s - m_Z^2)^2 + s^2 \Gamma_Z^2/m_Z^2}$$

$$\sigma_{f\bar{f}}^{\text{peak}} = \frac{1}{R_{\text{QED}}} \sigma_{f\bar{f}}^0 \quad \sigma_{f\bar{f}}^0 = \frac{12\pi}{m_Z^2} \frac{\Gamma_{ee} \Gamma_{f\bar{f}}}{\Gamma_Z^2} \quad R_e^0 \equiv \Gamma_{\text{had}}/\Gamma_{ee}, \quad R_u^0 \equiv \Gamma_{\text{had}}/\Gamma_{\mu\mu} \quad \text{and} \quad R_\tau^0 \equiv \Gamma_{\text{had}}/\Gamma_{\tau\tau}$$



$$\sigma_{ff} \propto (g_{Ve}^2 + g_{Ae}^2)(g_{Vf}^2 + g_{Af}^2)$$

$$\sigma(s) = \int_{4m_f^2/s}^1 dz H_{\text{QED}}^{\text{tot}}(z, s) \sigma_{\text{ew}}(zs)$$

Numero di neutrini leggeri

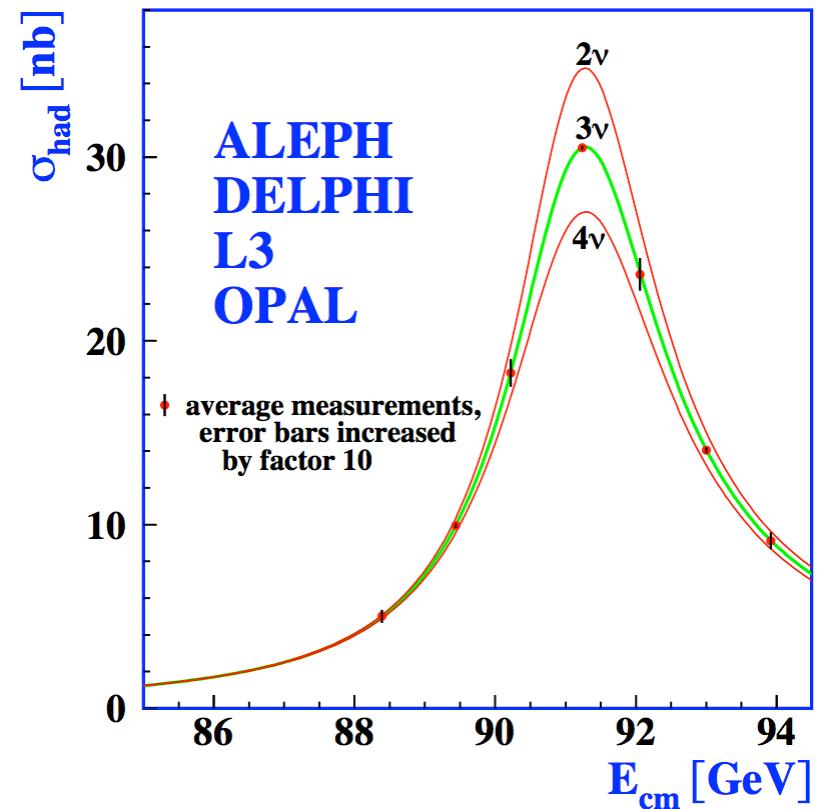
- Il numero di famiglie di neutrini si ricava indirettamente dalla larghezza totale della Z e dalle larghezze parziali di decadimento

$$\Gamma_Z = \Gamma_{ee} + \Gamma_{\mu\mu} + \Gamma_{\tau\tau} + \Gamma_{had} + \Gamma_{inv}$$

$$R_{inv}^0 = N_\nu \left(\frac{\Gamma_{\nu\bar{\nu}}}{\Gamma_{\ell\ell}} \right)_{SM}$$

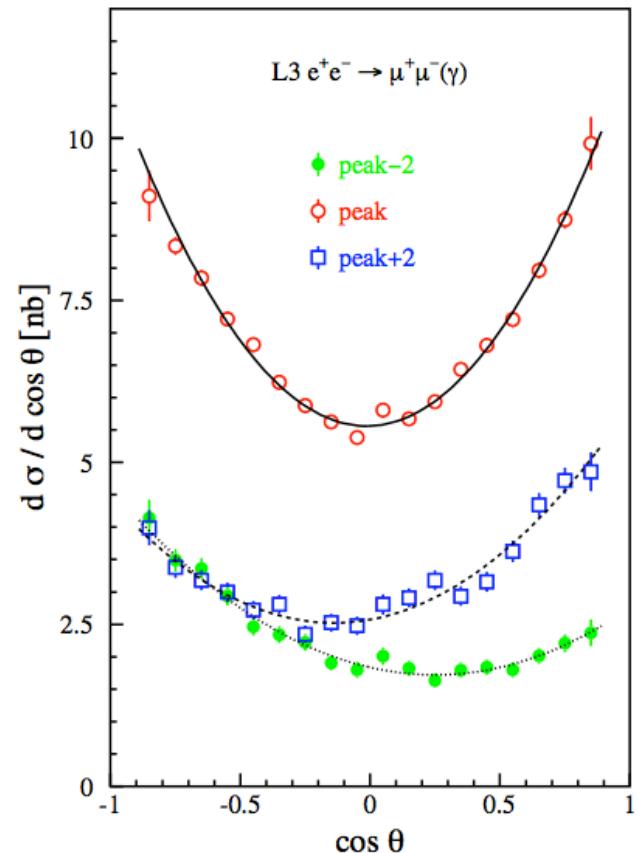
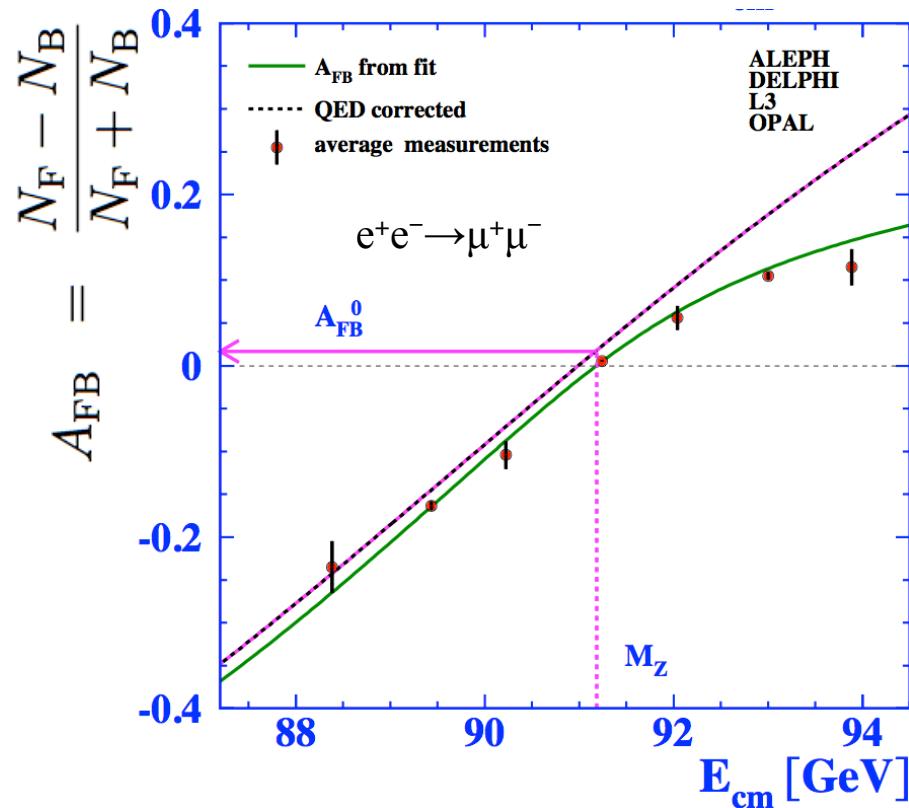
$$N_\nu = 2.9840 \pm 0.0082$$

... ovviamente, se i neutrini sono leggeri ($m_\nu < m_Z/2$)



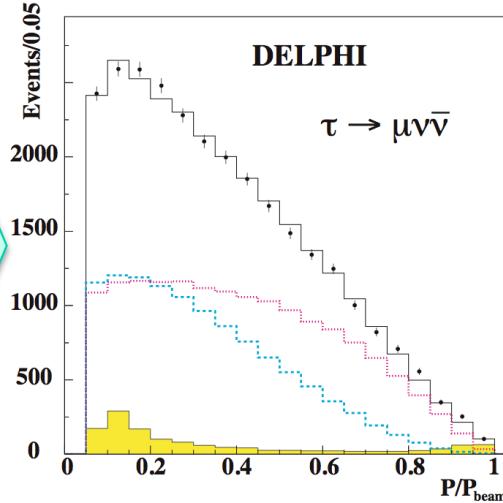
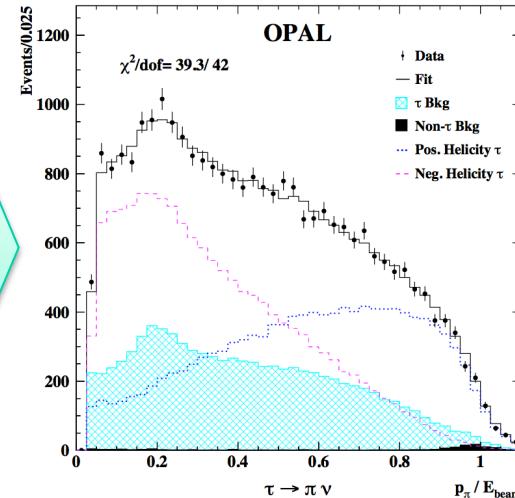
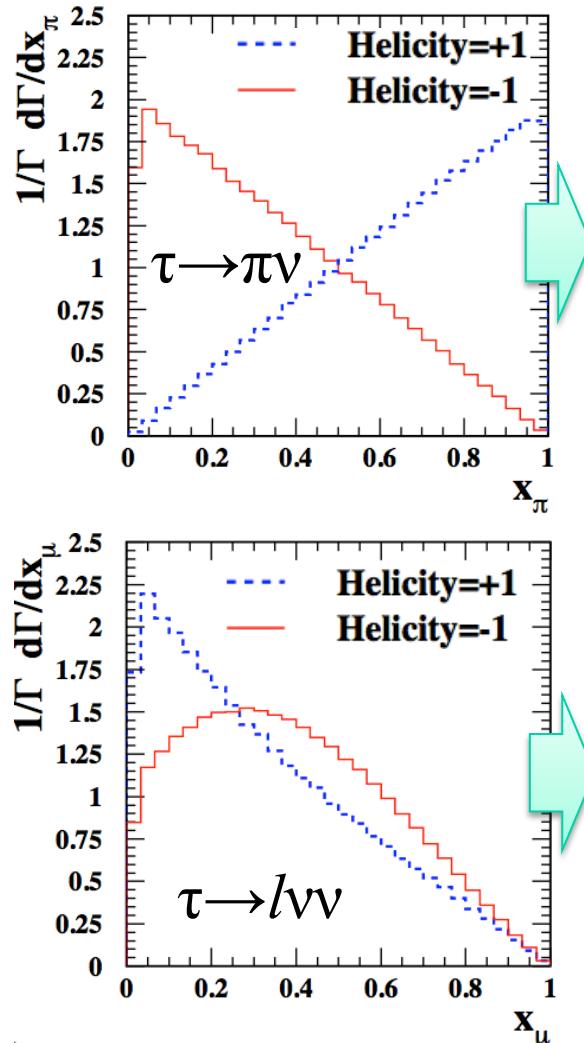
Asimmetria FB

- Misura della sezione d'urto differenziale in funzione di θ

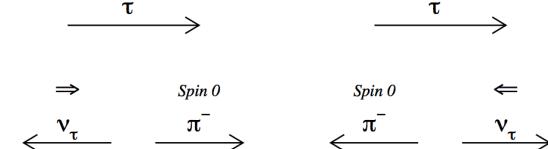


$$A_{FB}^{0,f} = \frac{3}{4} \frac{2g_{Ve}g_{Ae}}{g_{Ve}^2 + g_{Ae}^2} \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2} \equiv \frac{3}{4} \mathcal{A}_e \mathcal{A}_f \quad \mathcal{A}_f = \frac{g_{Lf}^2 - g_{Rf}^2}{g_{Lf}^2 + g_{Rf}^2} = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2} = 2 \frac{g_{Vf}/g_{Af}}{1 + (g_{Vf}/g_{Af})^2}$$

Polarizzazione stati finali (τ)



$$\mathcal{P}_\tau \equiv (\sigma_+ - \sigma_-)/(\sigma_+ + \sigma_-)$$



$$\frac{1}{\Gamma} \frac{d\Gamma}{d \cos \theta_\pi} = \frac{1}{2} (1 + \mathcal{P}_\tau \cos \theta_\pi)$$

θ_π nel sist. di riferimento a riposo del τ

$$\frac{1}{\Gamma} \frac{d\Gamma}{dx_\pi} = 1 + \mathcal{P}_\tau (2x_\pi - 1) \quad x_\pi = E_\pi / E_\tau$$

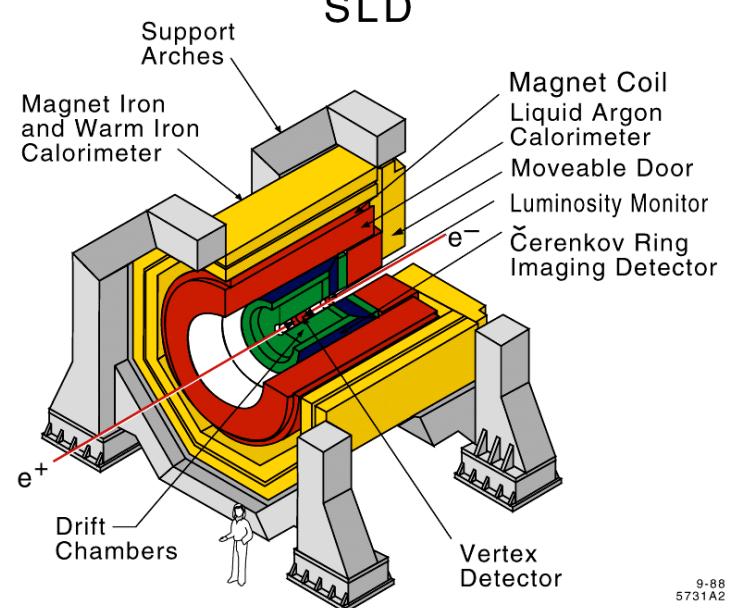
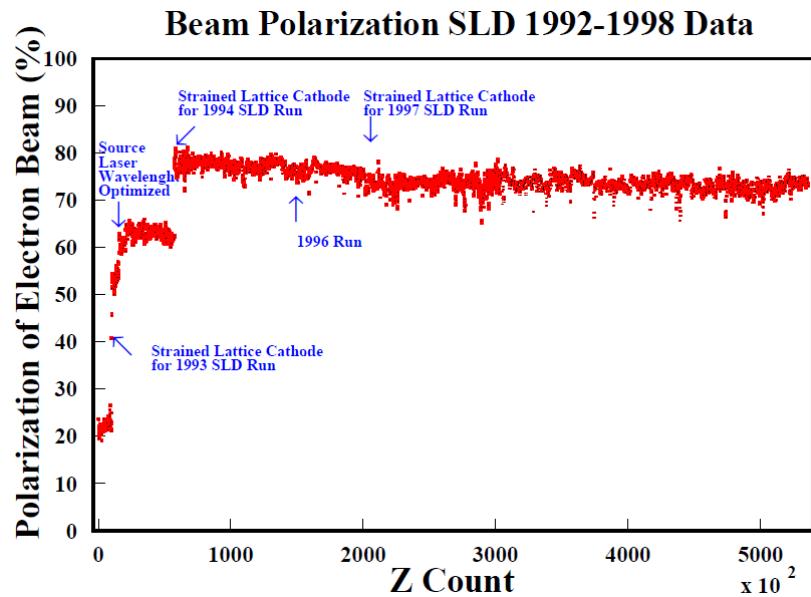
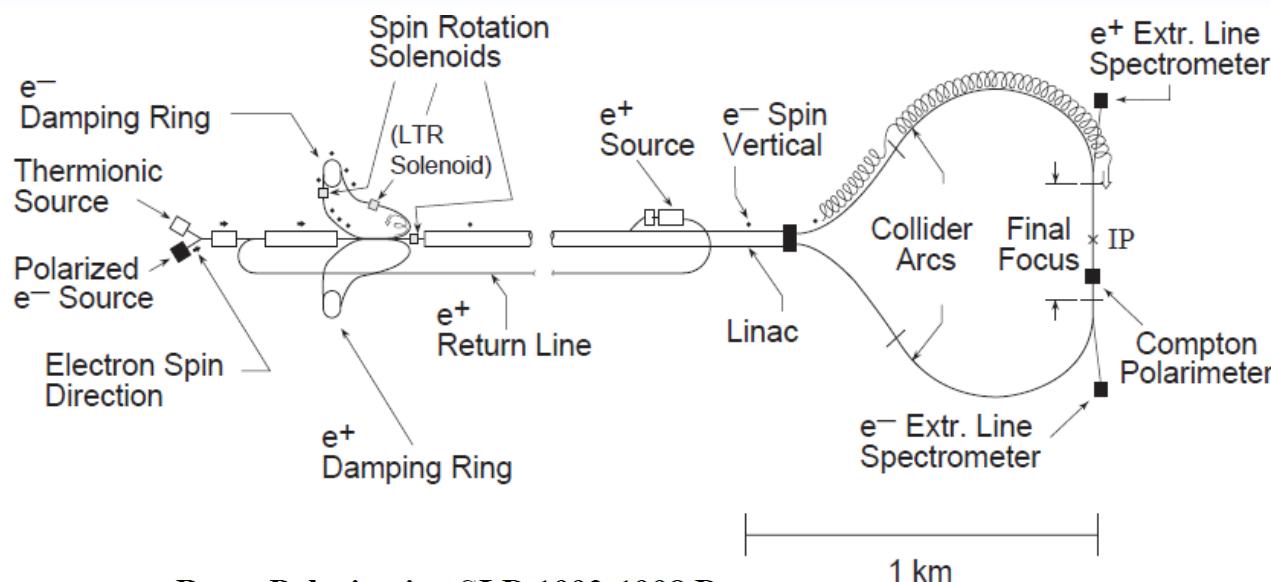
Due neutrini nello stato finale!

$$\frac{1}{\Gamma} \frac{d\Gamma}{dx_\ell} = \frac{1}{3} [(5 - 9x_\ell^2 + 4x_\ell^3) + \mathcal{P}_\tau (1 - 9x_\ell^2 + 8x_\ell^3)]$$

Per decadimenti con ρ e a_1 si possono fare studi più complessi delle variabili angolari



SLC/SLD a SLAC



Polarizzazione dei fasci

- La sezione d'urto dipende dalla polarizzazione dei fasci collidenti

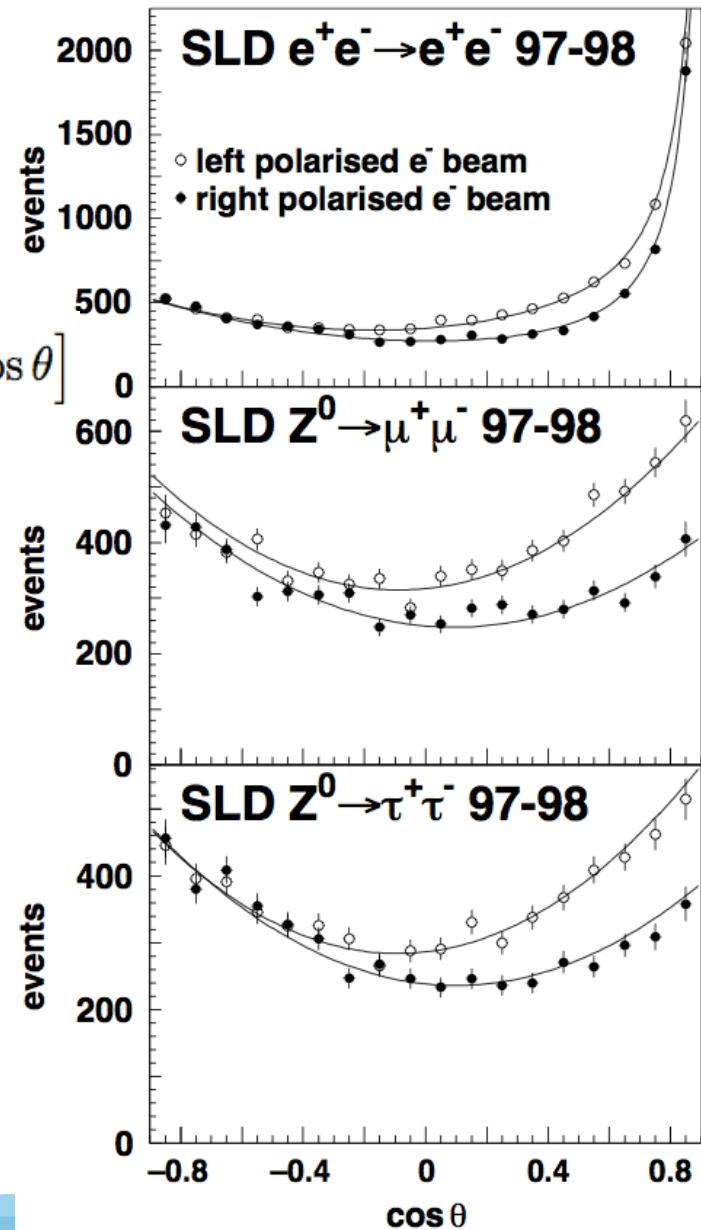
$$\frac{d\sigma_{f\bar{f}}}{d \cos \theta} = \frac{3}{8} \sigma_{f\bar{f}}^{\text{tot}} \left[(1 - \mathcal{P}_e \mathcal{A}_e) (1 + \cos^2 \theta) + 2(\mathcal{A}_e - \mathcal{P}_e) \mathcal{A}_f \cos \theta \right]$$

$$\mathcal{A}_f = \frac{g_{Lf}^2 - g_{Rf}^2}{g_{Lf}^2 + g_{Rf}^2} = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2} = 2 \frac{g_{Vf}/g_{Af}}{1 + (g_{Vf}/g_{Af})^2}$$

$$A_{FB} = \frac{\sigma_F - \sigma_B}{\sigma_F + \sigma_B}$$

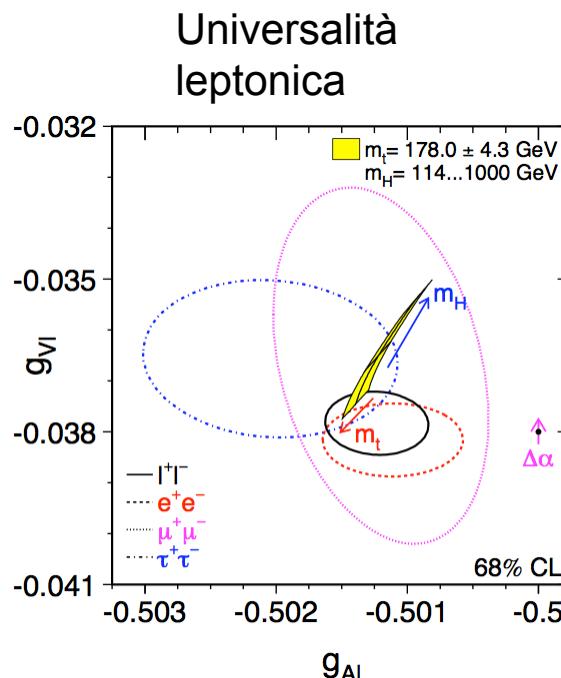
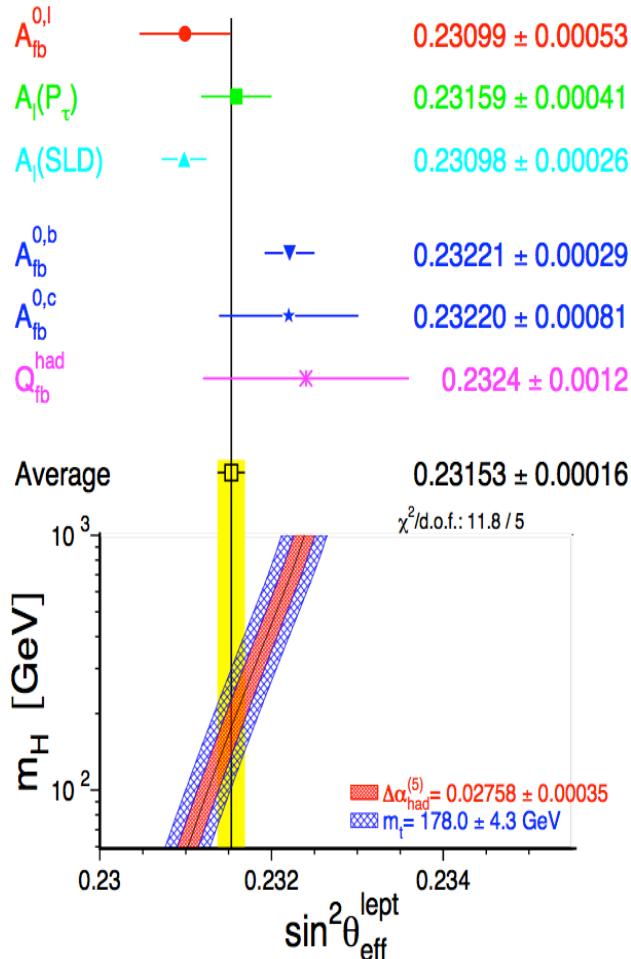
$$A_{LR} = \frac{\sigma_L - \sigma_R}{\sigma_L + \sigma_R} \frac{1}{\langle |\mathcal{P}_e| \rangle}$$

$$A_{LRFB} = \frac{(\sigma_F - \sigma_B)_L - (\sigma_F - \sigma_B)_R}{(\sigma_F + \sigma_B)_L + (\sigma_F + \sigma_B)_R} \frac{1}{\langle |\mathcal{P}_e| \rangle}$$

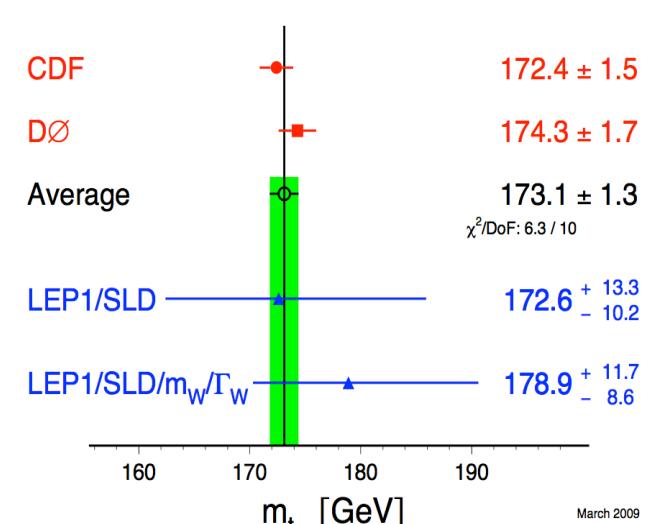




Mettendo tutto insieme ...

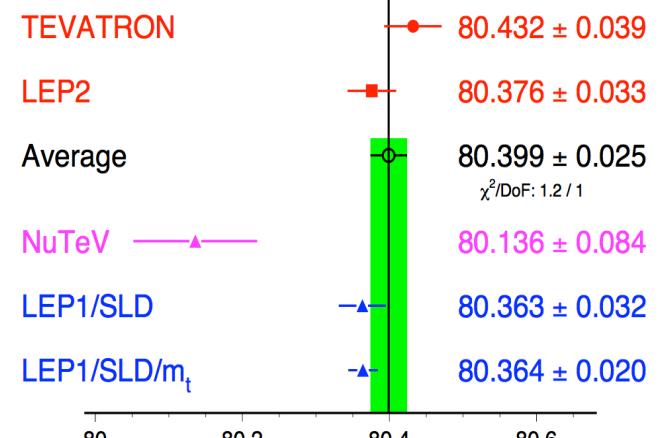


Top-Quark Mass [GeV]



March 2009

W-Boson Mass [GeV]

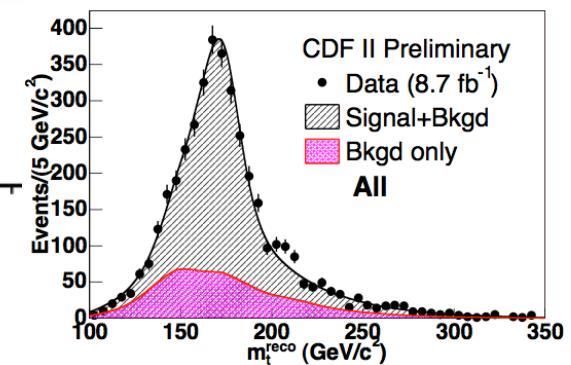
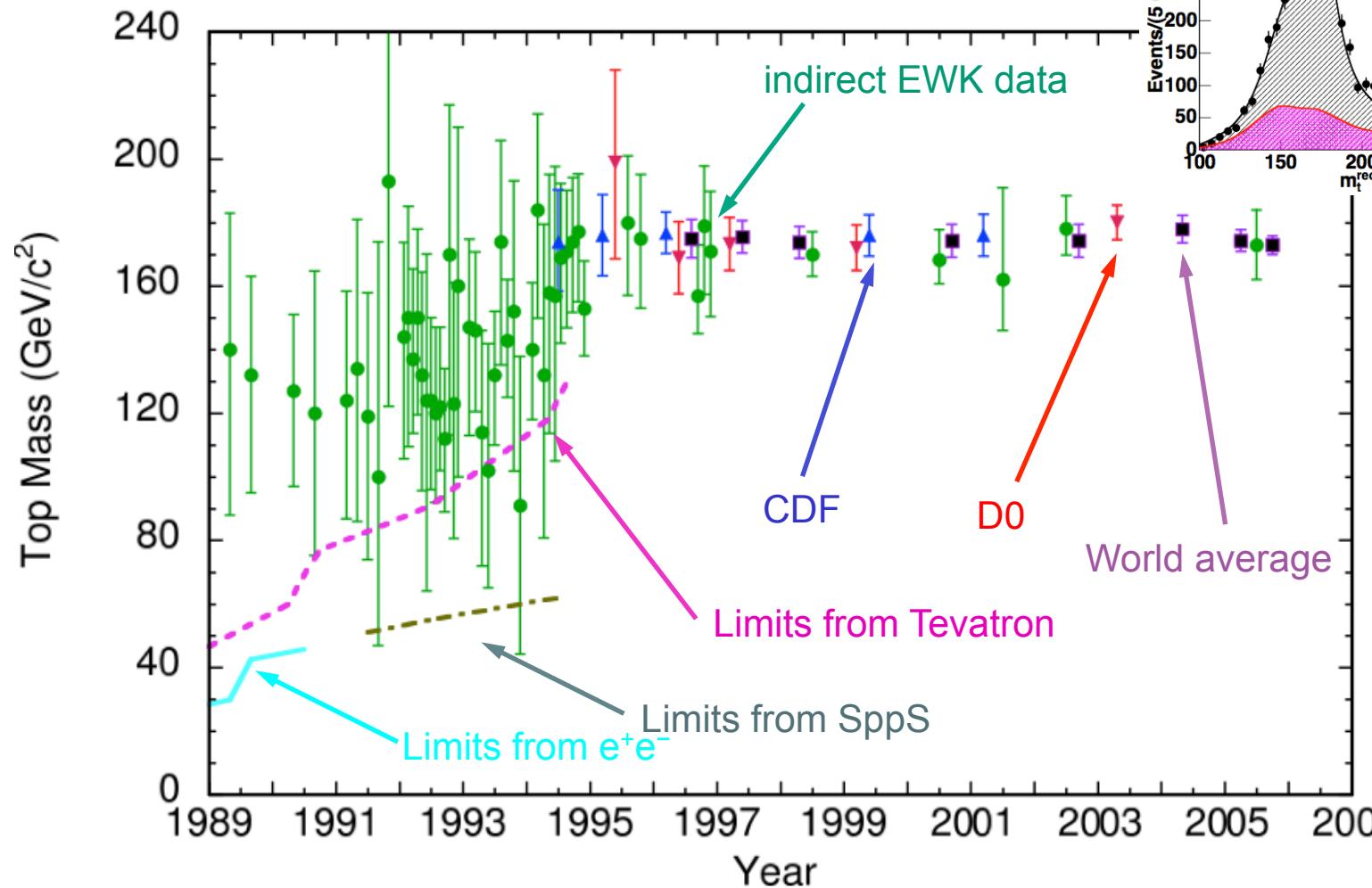


March 2009

<http://lepewwwg.web.cern.ch/LEPEWWWG/>

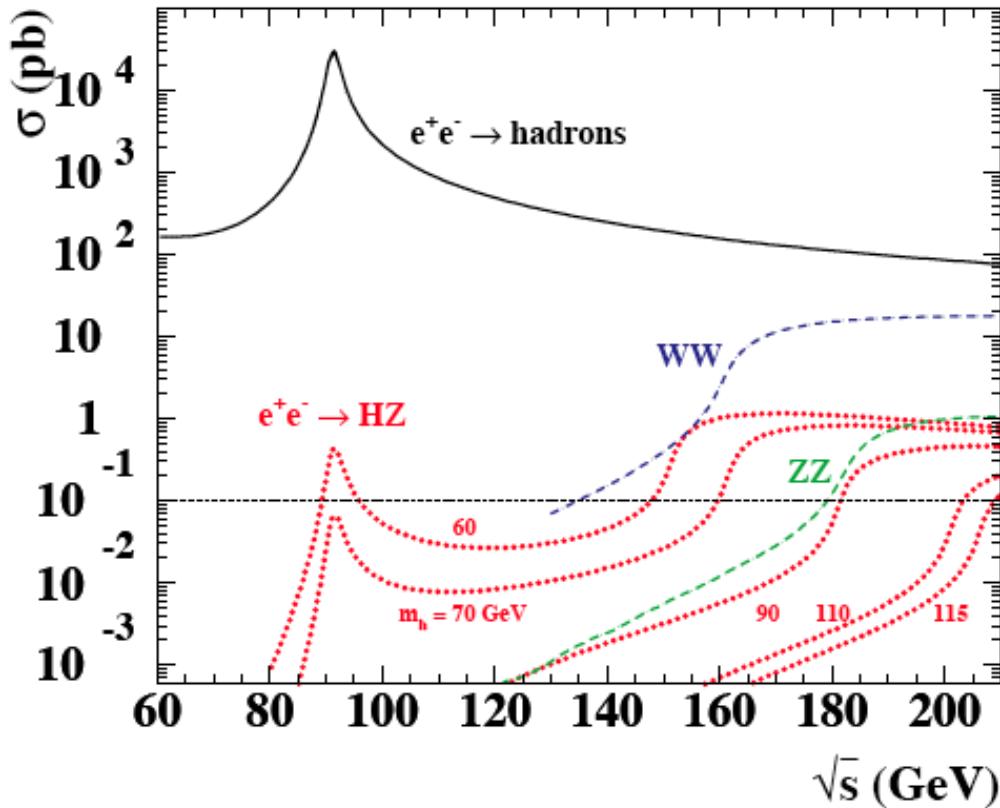
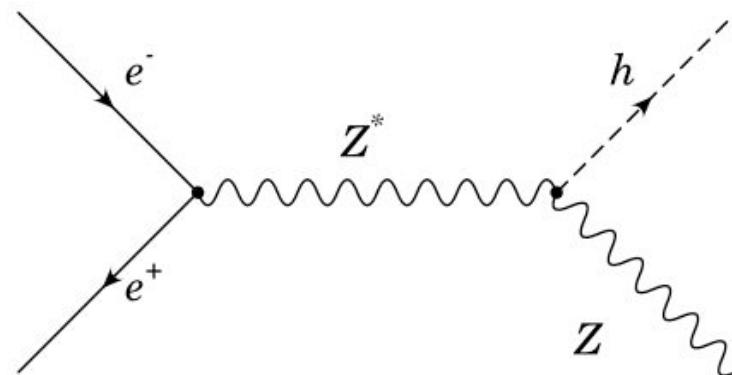
La massa del quark top

- Misura di m_t negli anni

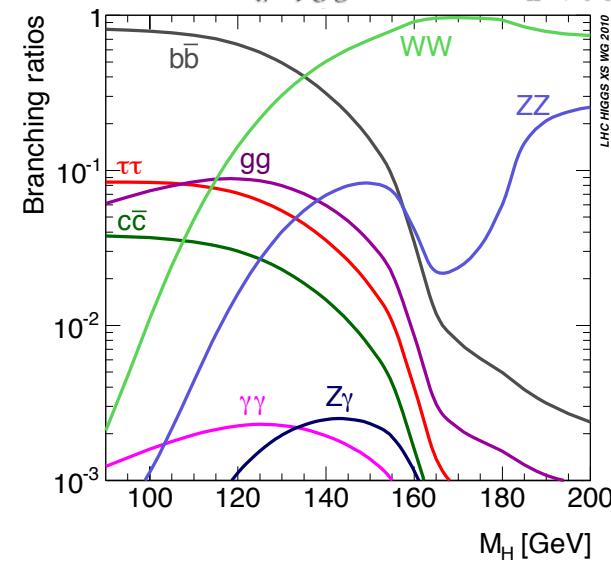
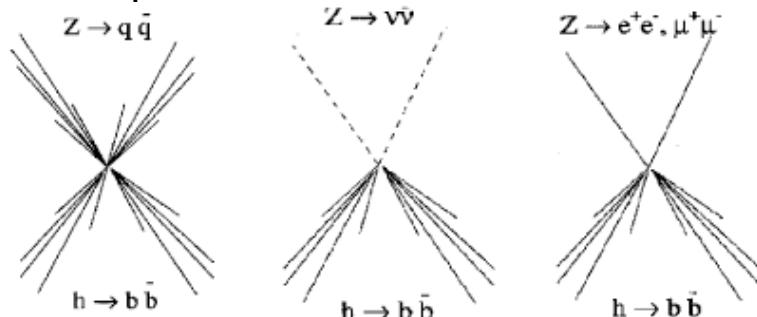




Produzione di Higgs a LEP

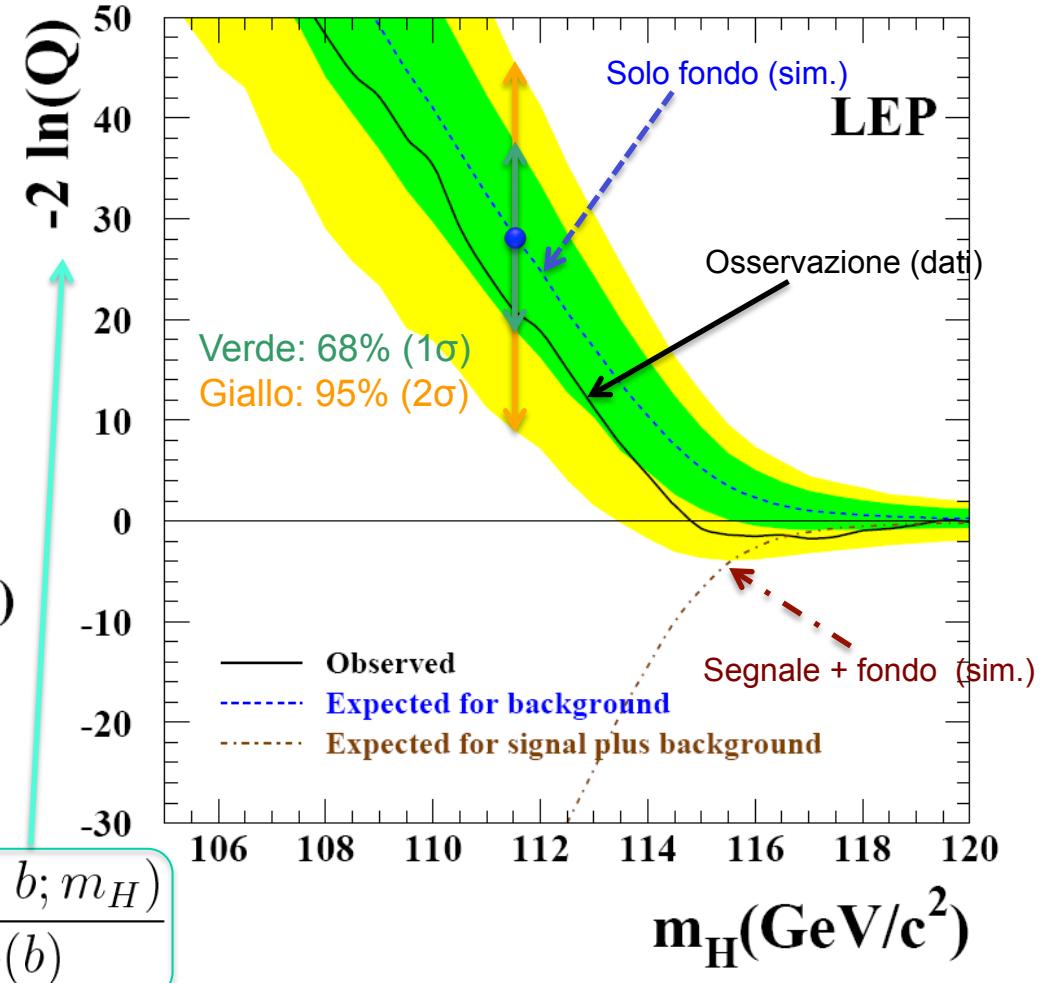
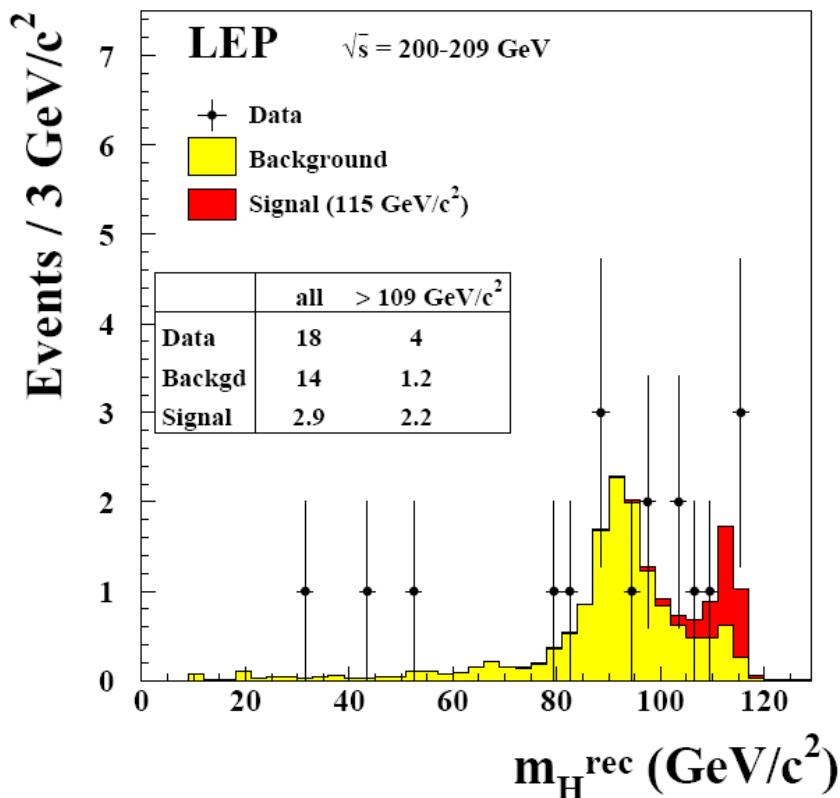


- Necessario avere $\sqrt{s} \geq m_H + m_Z$
- $\sqrt{s}_{\max} = 209 \text{ GeV} \rightarrow$ sensibilità fino a $m_H \sim 118 \text{ GeV}$
- L'Higgs **decade prevalentemente in bb** alle energie di LEP
- I possibili decadimenti della Z producono segnature sperimentali diverse

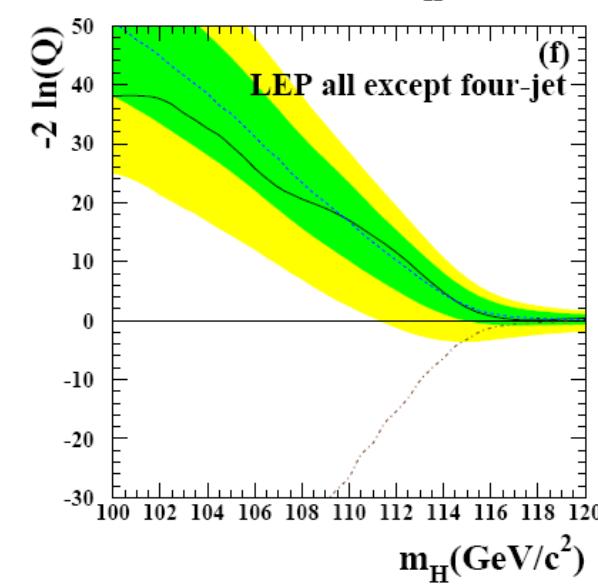
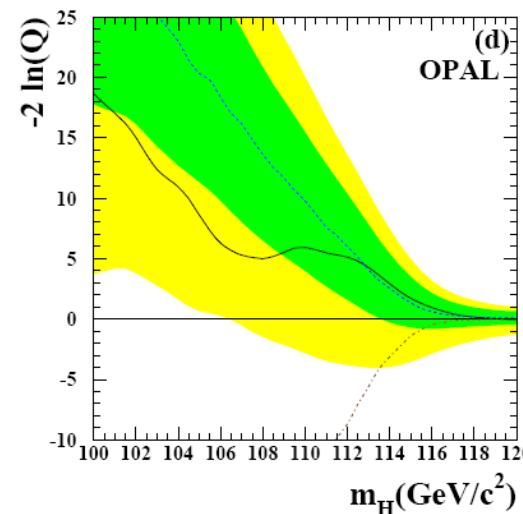
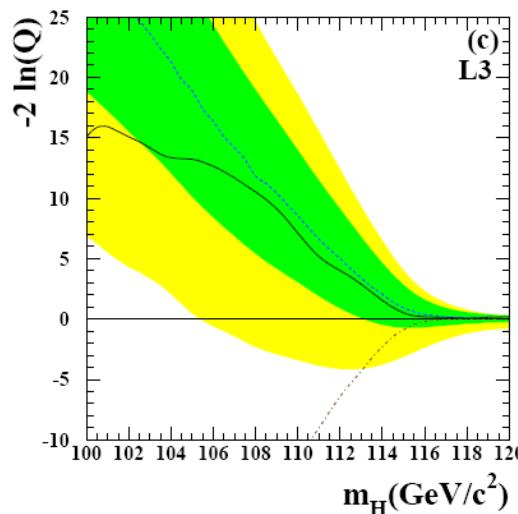
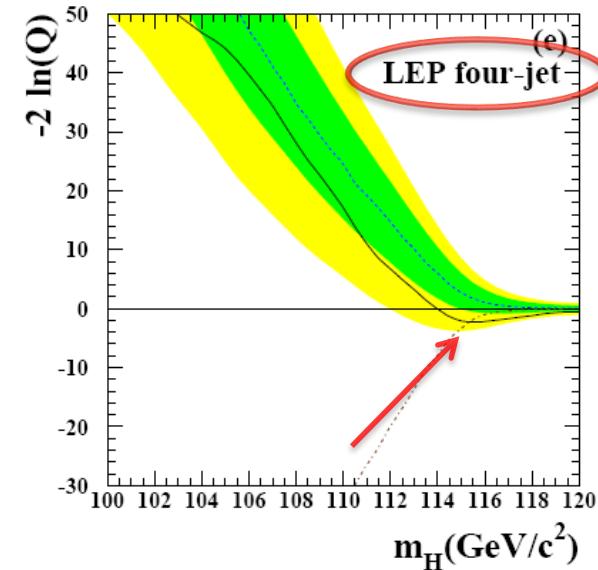
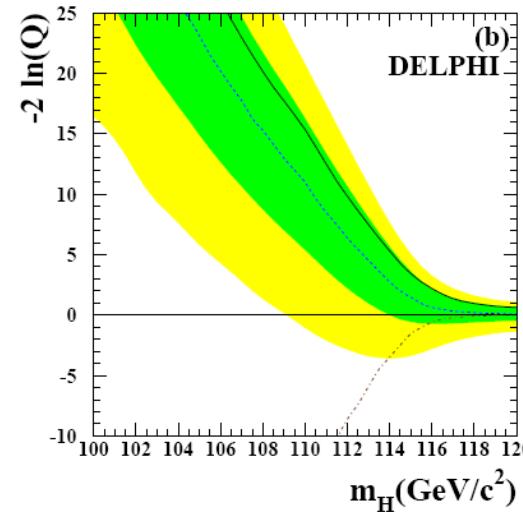
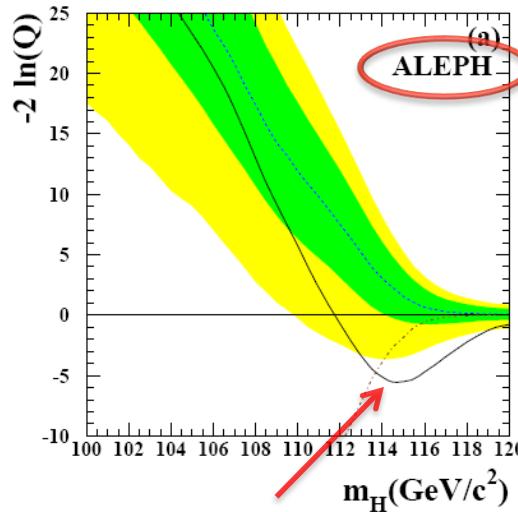




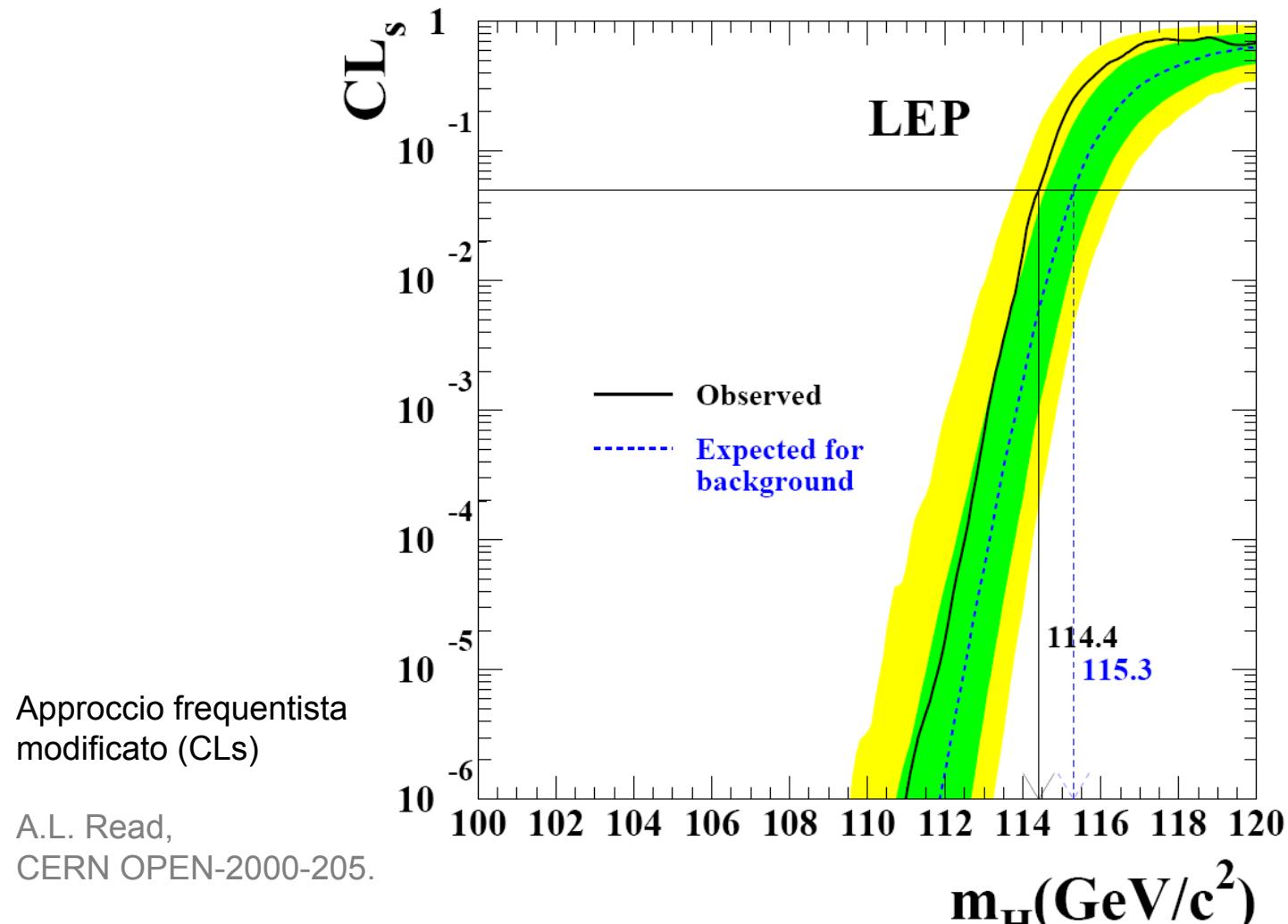
Ricerca dell'Higgs vs m_H



Canali e esperimenti



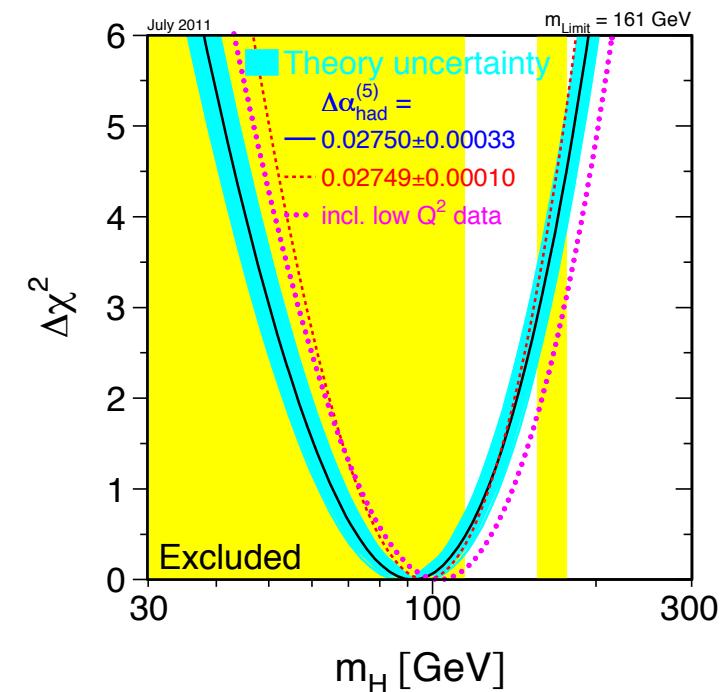
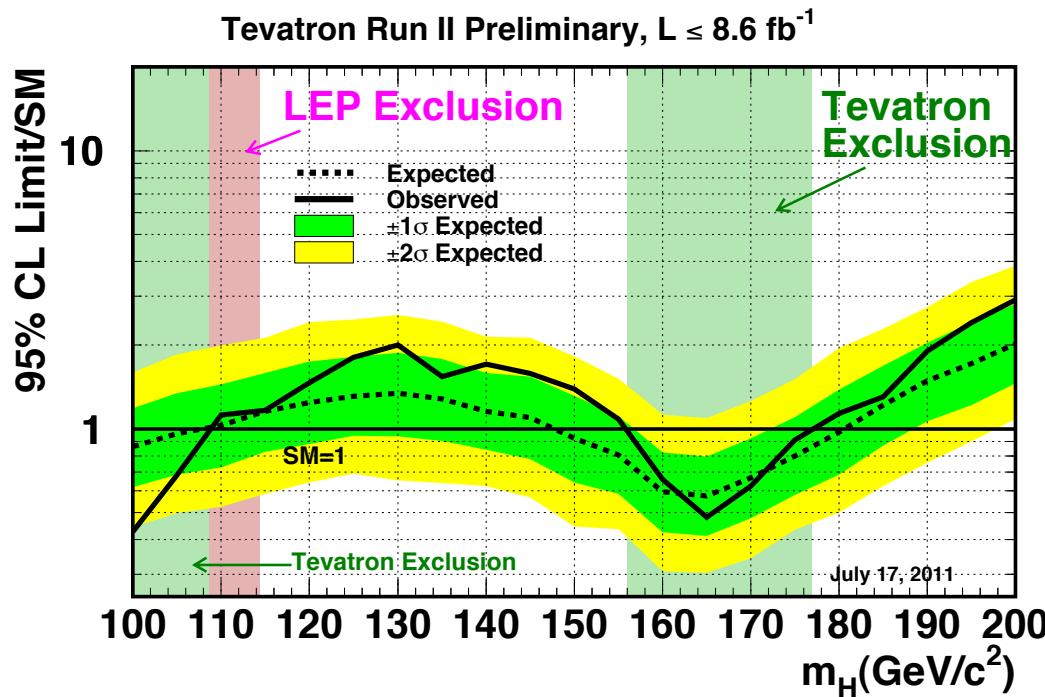
C.L. dell'ipotesi di segnale



Intervallo escluso: $m_H < 114.4 \text{ GeV}$ al 95% CL (atteso: $m_H < 115.3 \text{ GeV}$)

Prima di LHC

- Il bosone di Higgs è stato cercato al Tevatron dopo LEP
 - Sono stati stabiliti nuovi limiti alla bosone di Higgs
- Le misure di precisione dei parametri elettrodeboli al LEP permettono di determinare in maniera indiretta, con limitata precisione, l'intervallo di massa preferito, **se esiste il bosone di Higgs**





ATLAS e CMS ad LHC

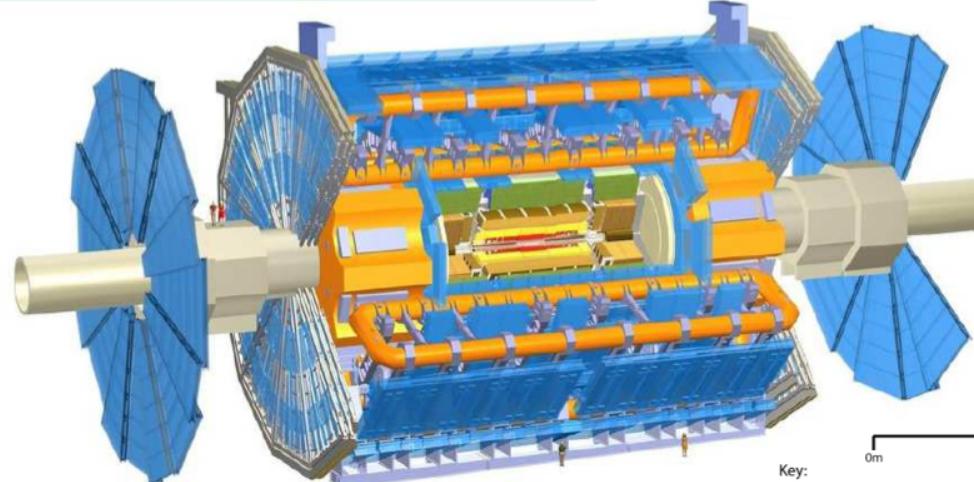


Muon Spectrometer: $|\eta| < 2.7$

Air-core toroids with gas based muon chambers
 $\sigma(p_T)/p_T = 2\% @ 50\text{GeV}$ to $10\% @ 1\text{TeV}$ (ID+MS)

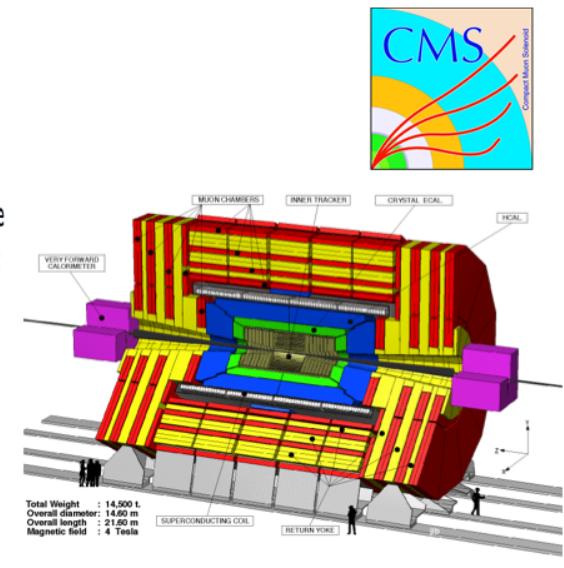
	Detector characteristics
	Width: 44m
	Diameter: 22m
	Weight: 7000t

CERN AC - ATLAS V1997



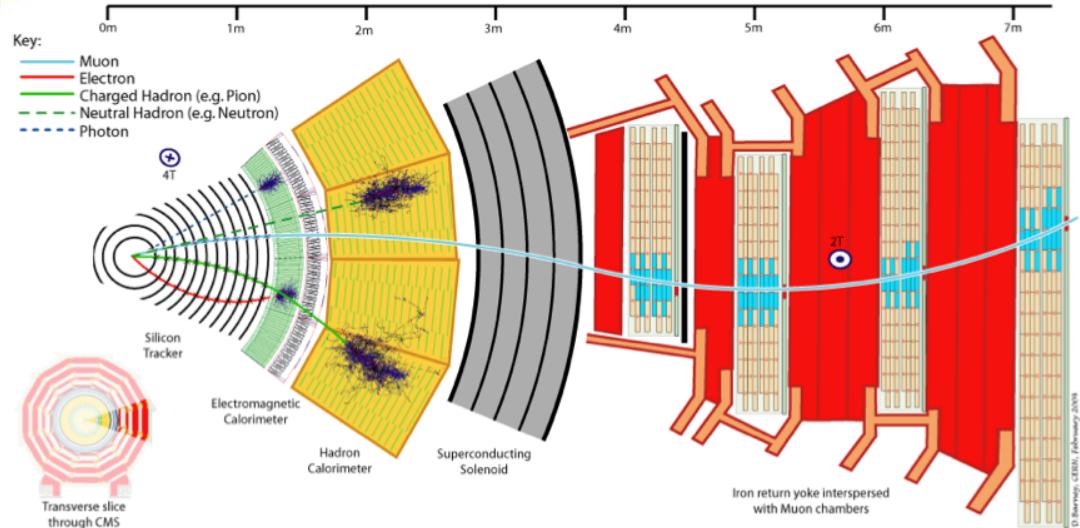
Barrel assembly + 2 endcaps ; successive layers outwards from the collision region:

- silicon pixel and strip tracker
- lead-tungstate crystal EM calorimeter
- brass/scintillator hadronic calorimeter
- 3.8 T superconducting solenoid
- gas-ionization muon chambers embedded in the steel return yoke



Inner Detector: $|\eta| < 2.5$, $B=2\text{T}$

Si pixels/strips and Trans. Rad. Det.
 $\sigma(p_T)/p_T = 0.05\% p_T \oplus 1\%$



Hadronic Calorimeter: $|\eta| < 4.9$

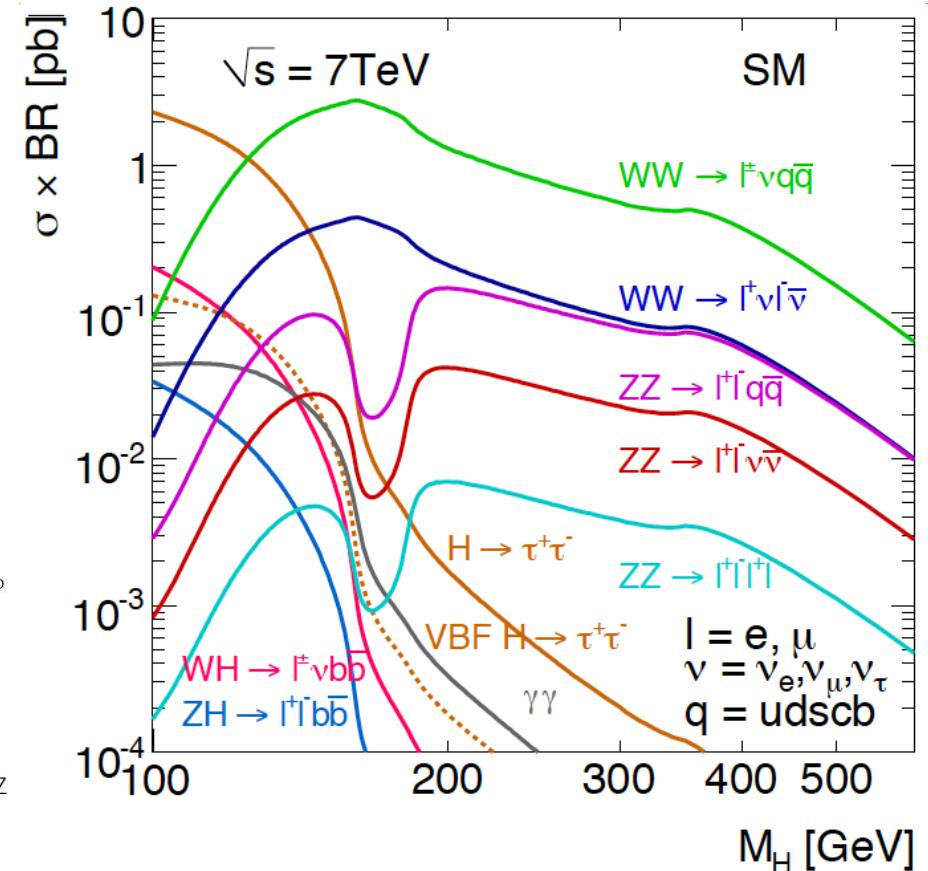
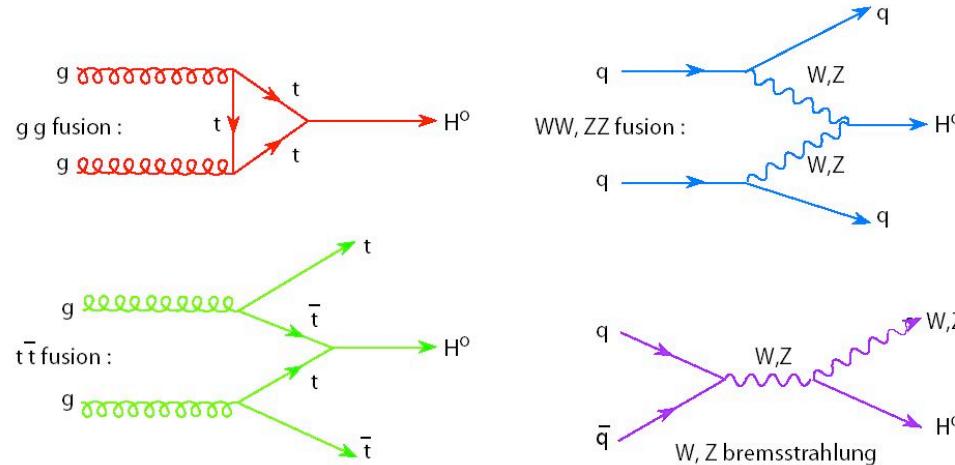
Fe/scintillating Tiles (central), Cu/W LAr (fwd)
 $\sigma(E_{jet})/E_{jet} = 50\% \sqrt{E} \oplus 3\%$

EM Calorimeter: $|\eta| < 3.2$

Pb-LAr Accordion
 $\sigma(E)/E = 10\% \sqrt{E} \oplus 0.7\%$

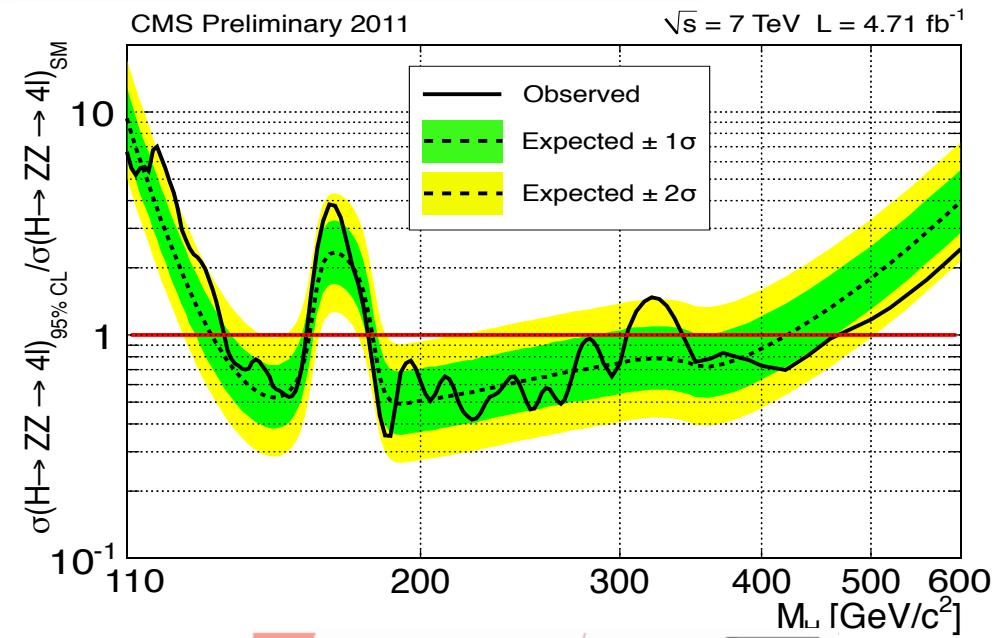
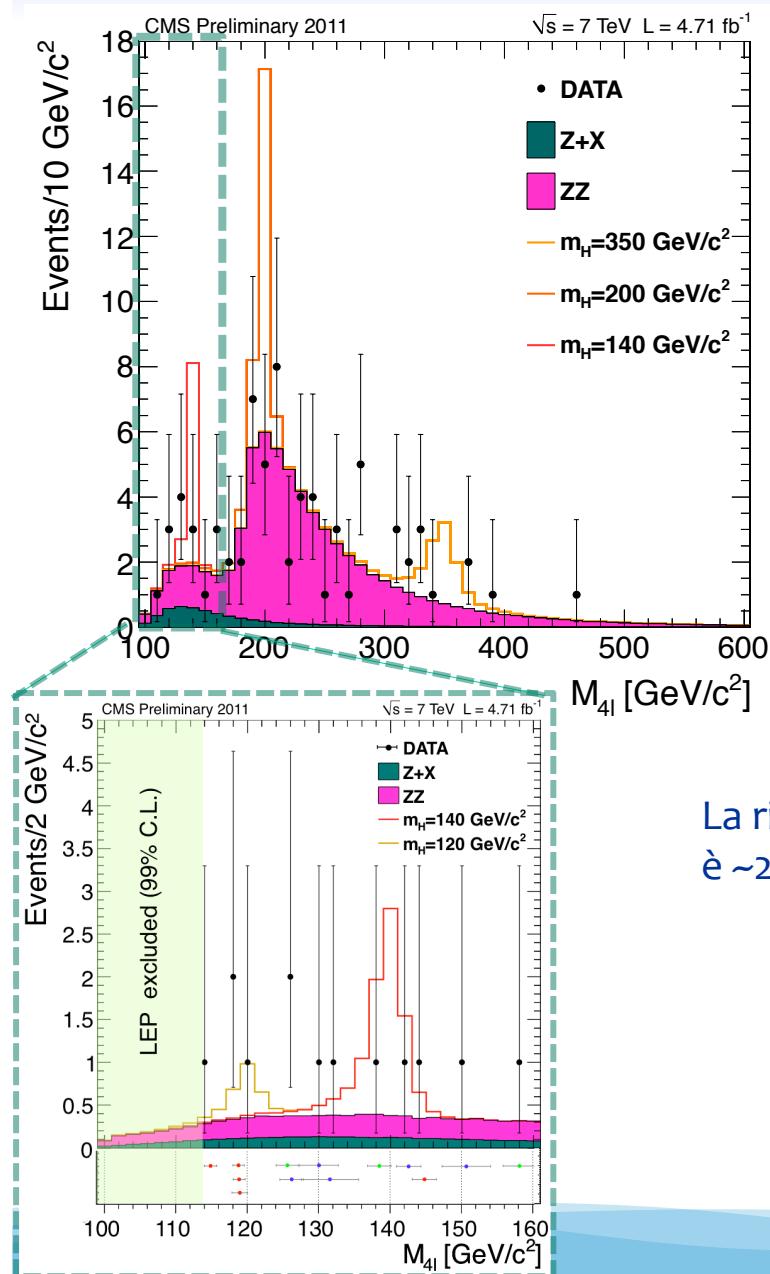
Produzione di Higgs a LHC

- Il bosone di Higgs interagisce più facilmente con particelle pesanti (top, Z, W, b, ...)
- I meccanismi più abbondanti sono “gluon fusion” e “vector-boson fusion”

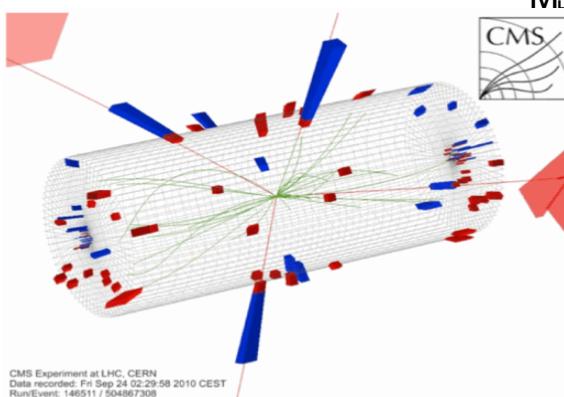




Il canale “golden”: $H \rightarrow ZZ \rightarrow 4l$ ($l = e, \mu$)



La risoluzione in massa
è $\sim 2\text{-}3 \text{ GeV}$



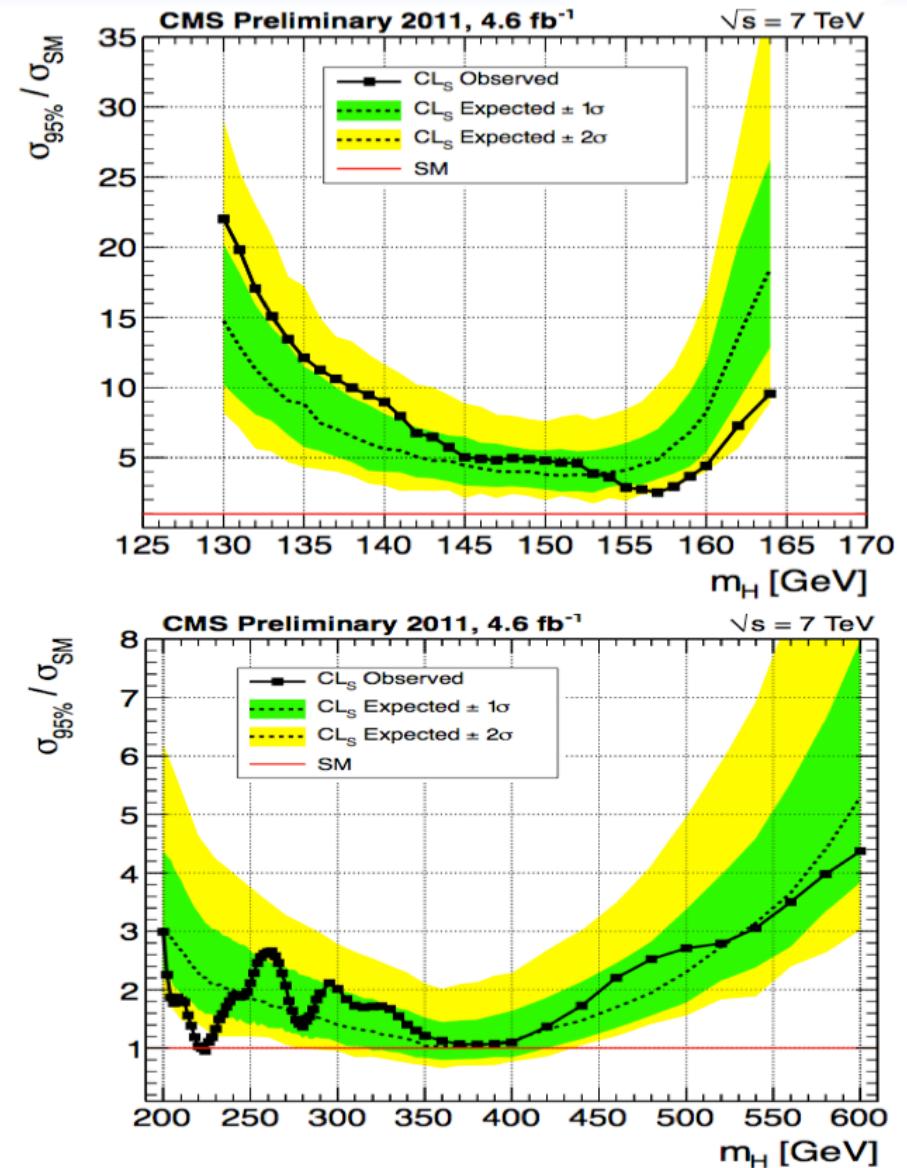
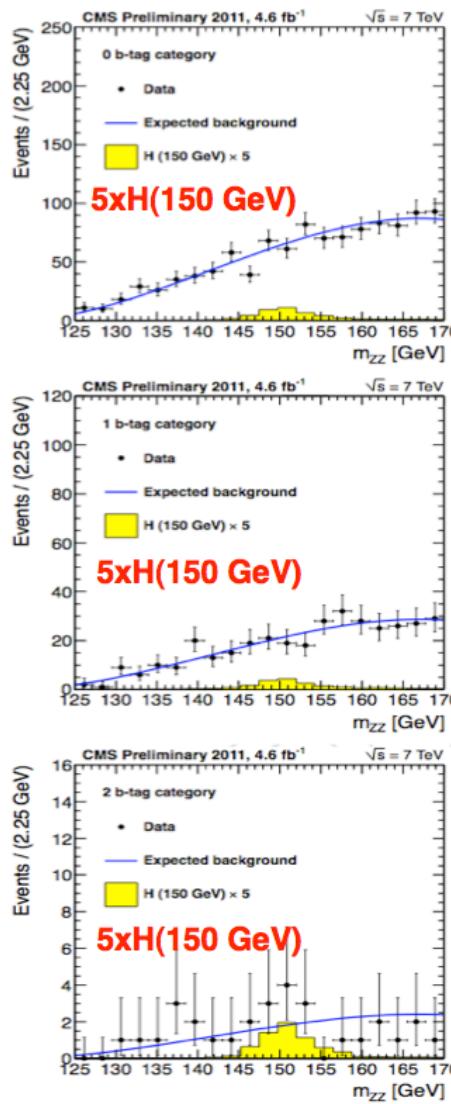
Invariant Masses

$\mu_0 + \mu_1: 92.15 \text{ GeV}$ (total(Z) p_T 26.5 GeV, ϕ -3.03),
 $\mu_2 + \mu_3: 92.24 \text{ GeV}$ (total(Z) p_T 29.4 GeV, ϕ +.06),
 $\mu_0 + \mu_2: 70.12 \text{ GeV}$ (total p_T 27 GeV),
 $\mu_3 + \mu_1: 83.1 \text{ GeV}$ (total p_T 26.1 GeV).

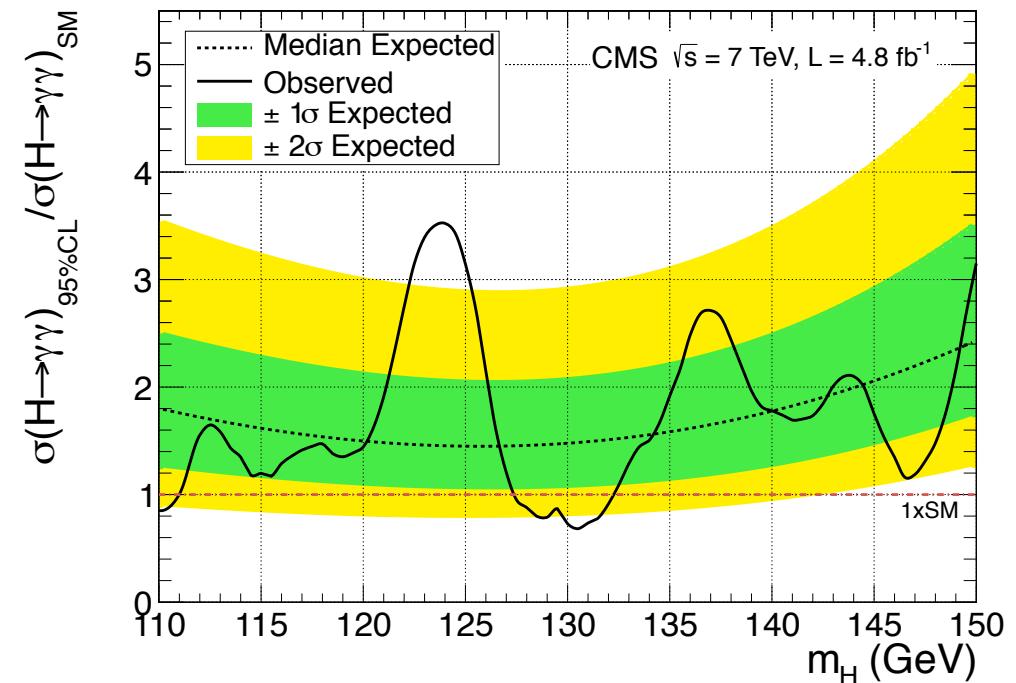
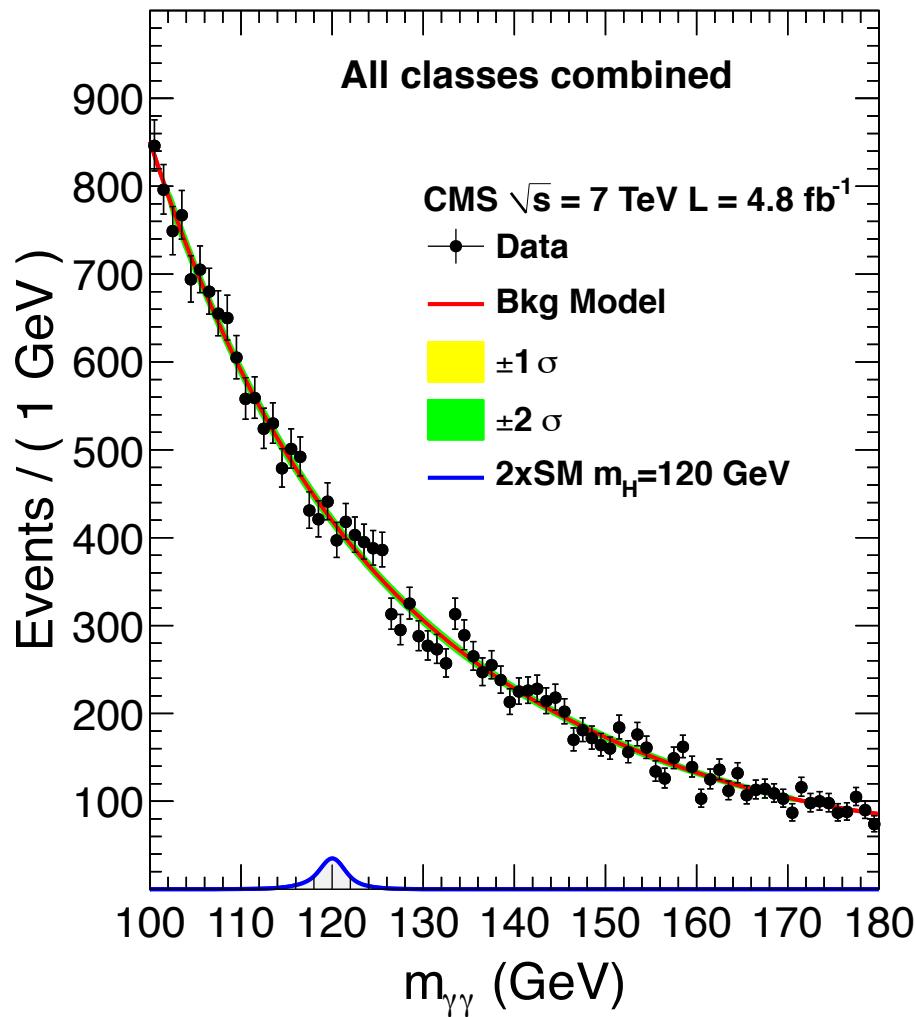
Invariant Mass of 4 μ : 201 GeV



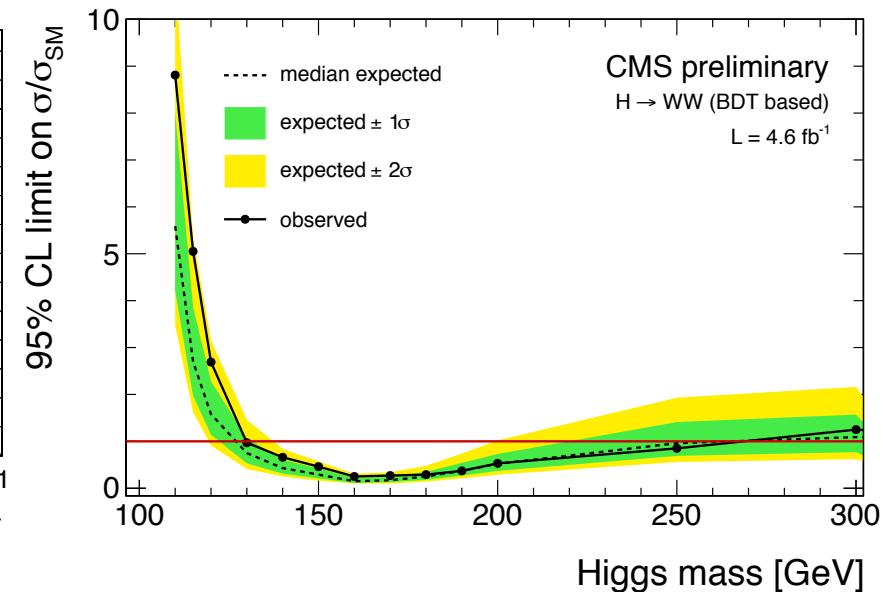
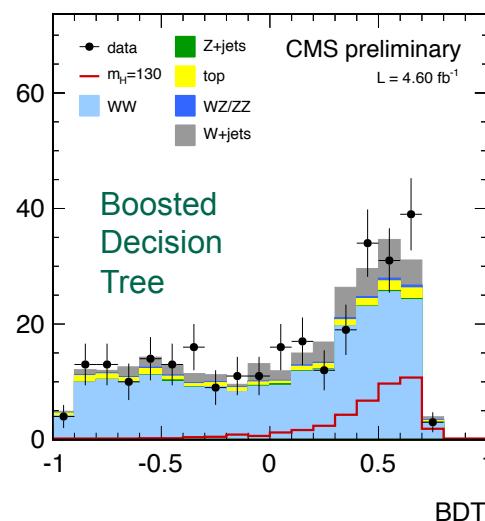
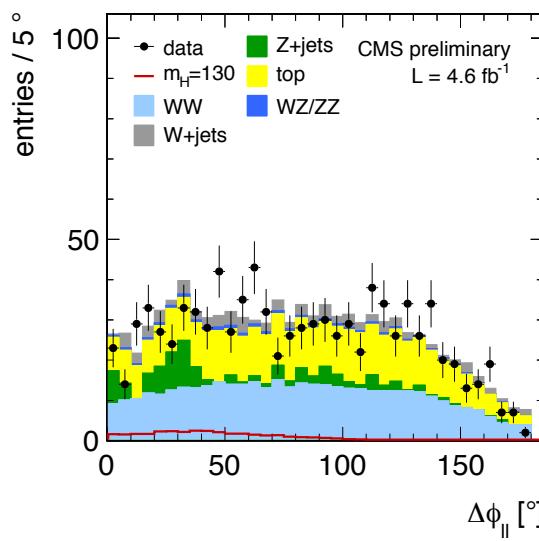
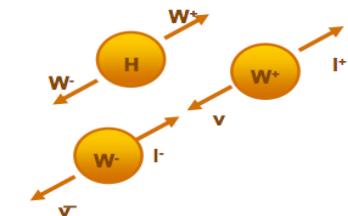
Il canale $H \rightarrow ZZ \rightarrow 2l2q$ ($l = e, \mu$)



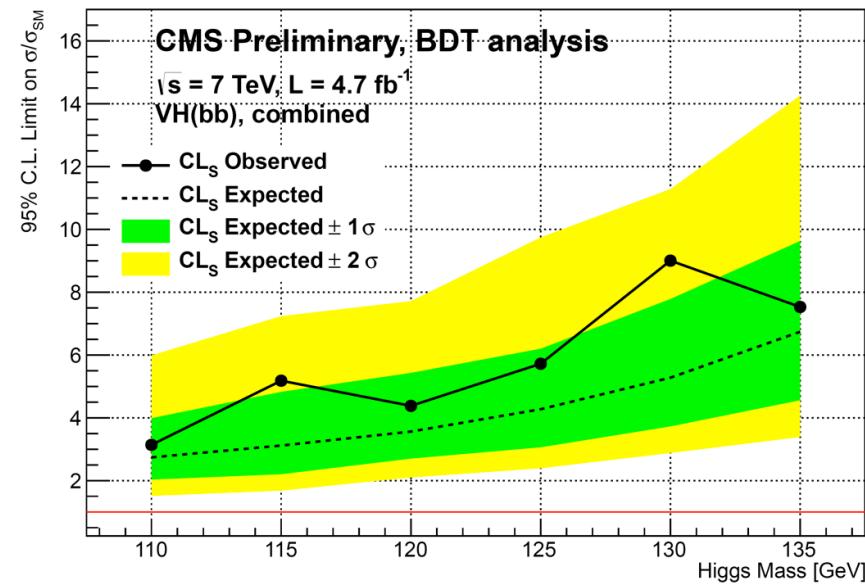
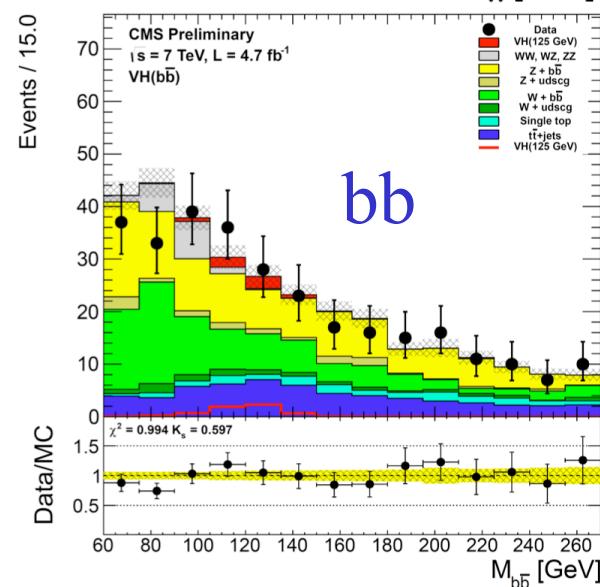
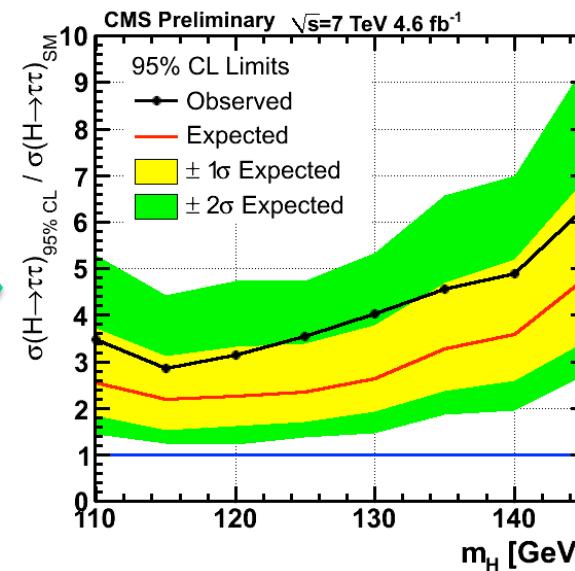
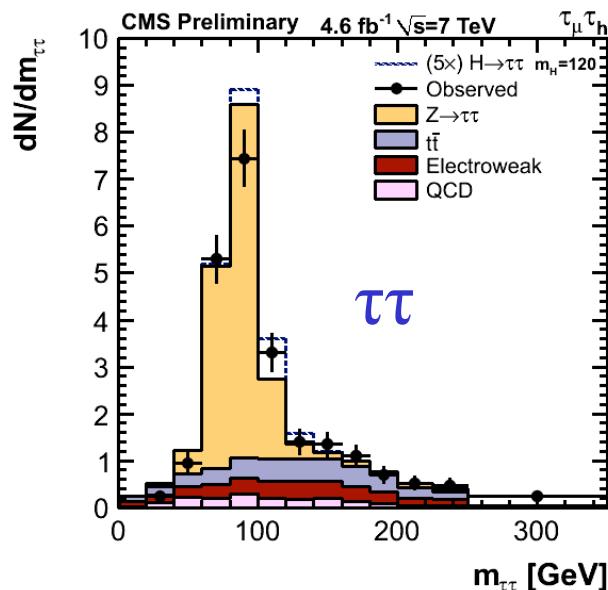
- Canale con molto fondo



- Non è possibile ricostruire la massa del bosone per la presenza dei neutrini
- Il segnale si discrimina dal fondo per la diversa **distribuzione angolare** (il bosone di Higgs a **spin zero**)
 - I due leptoni tendono ad essere **allineati** in eventi Higgs
- Un'analisi **multivariata** permette di massimizzare la separazione segnale/fondo

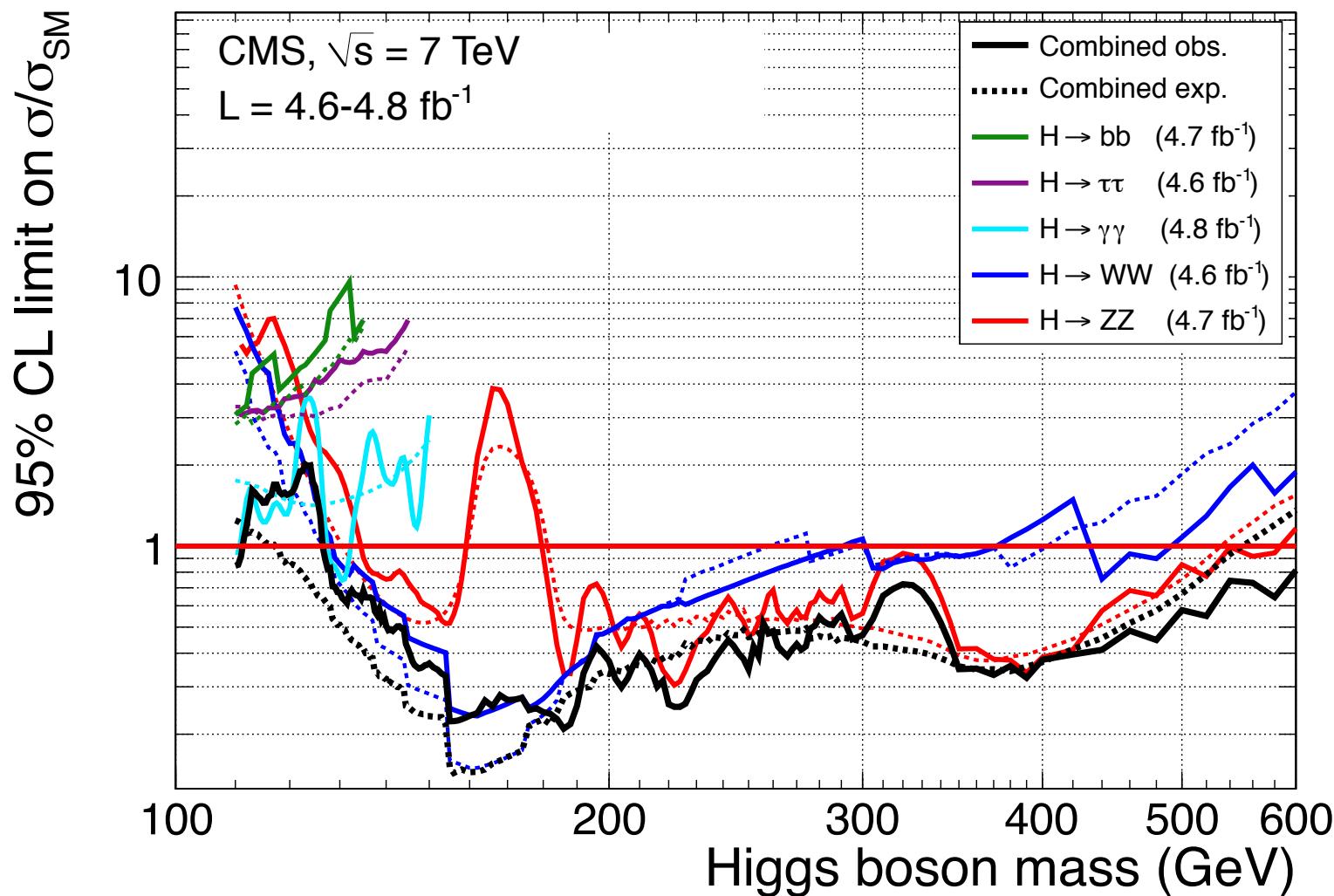


Altri canali sensibili a bassa massa



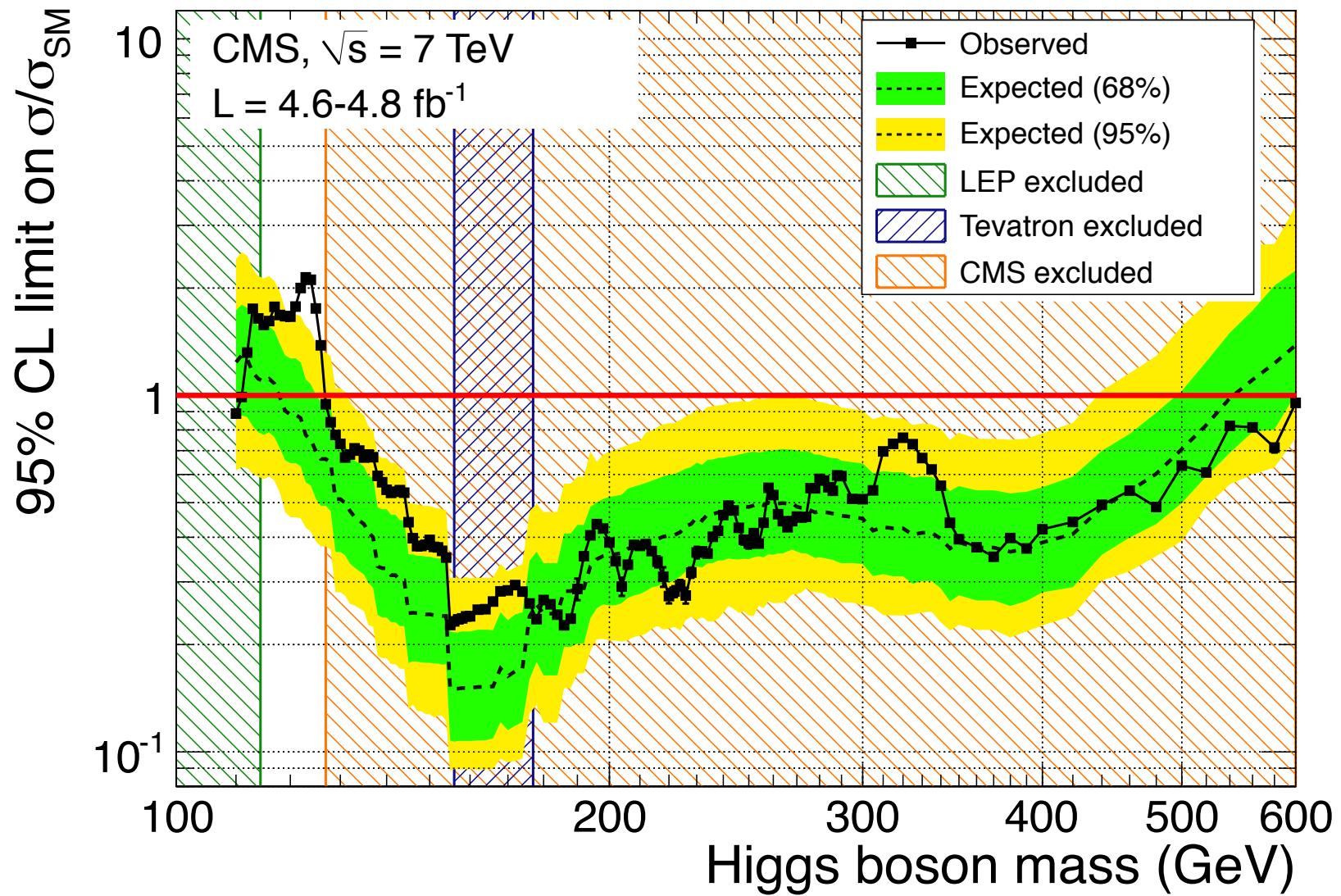
Limite combinato a $\sigma / \sigma_{\text{SM}}$

Phys. Lett. B 710 (2012) 26-48, arXiv:1202.1488

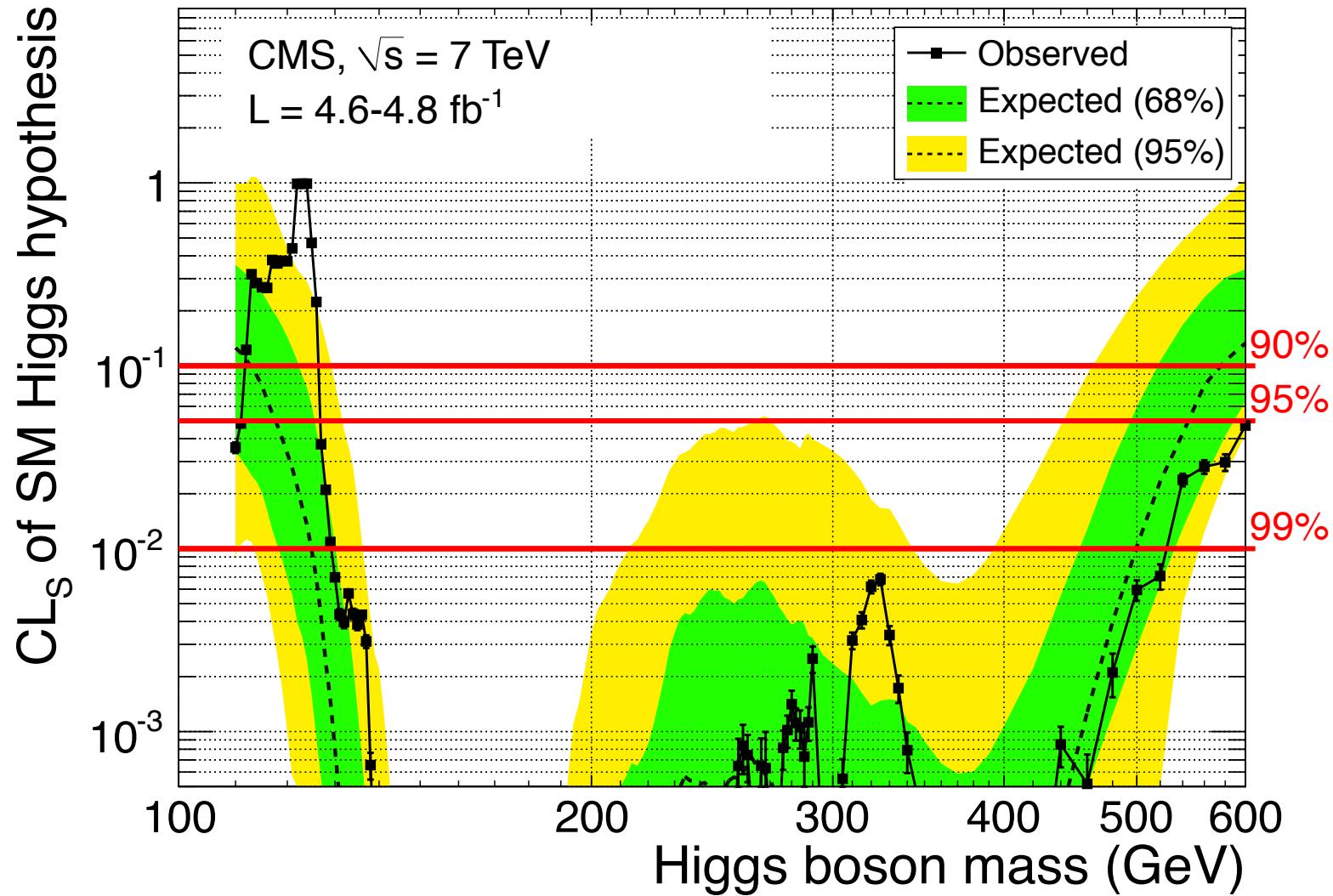


Intervallo escluso: 127–600 GeV al 95% CL (atteso: 114.5–543 GeV)

Esclusione al 95% CL



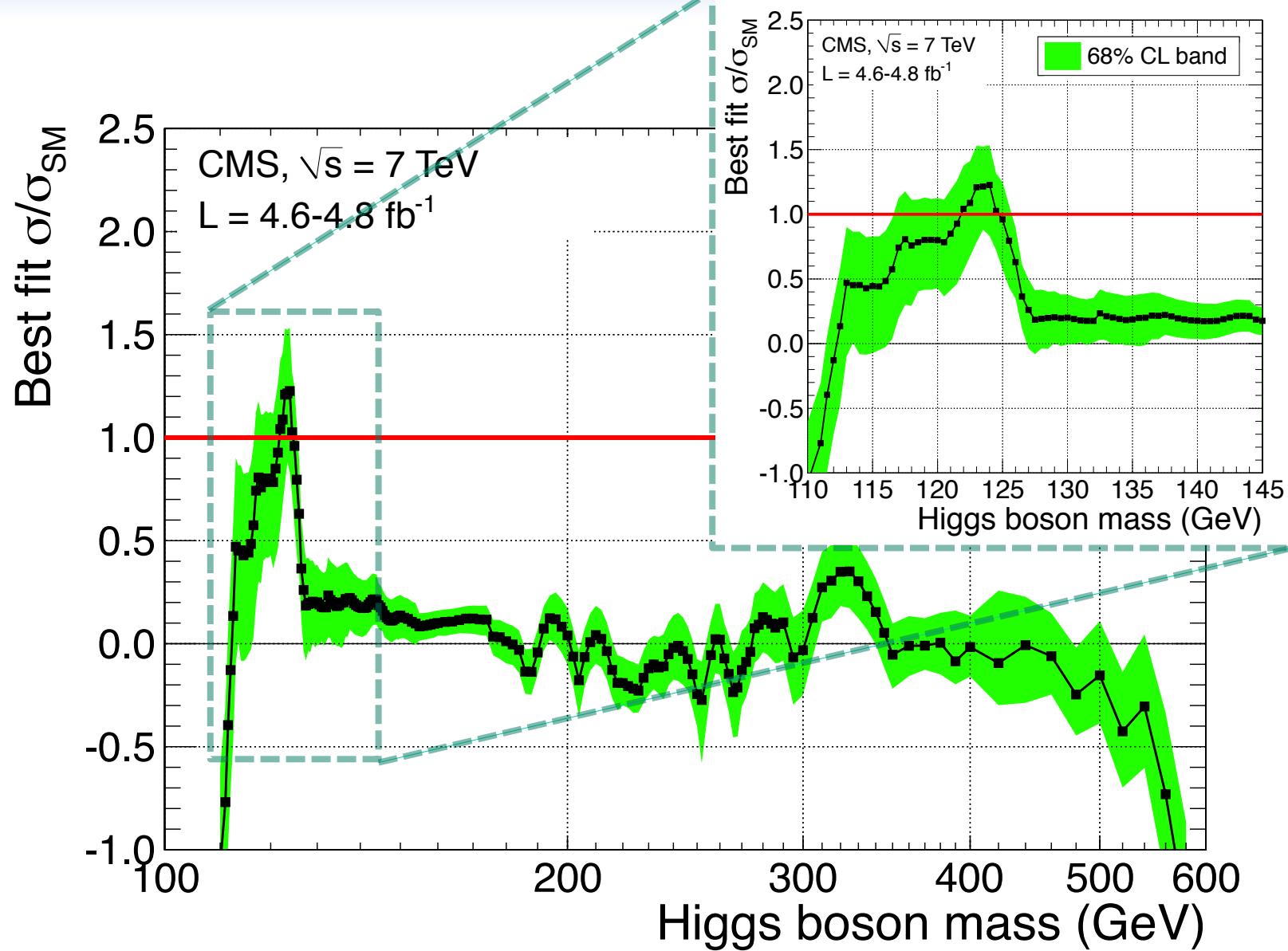
Dal 95% al 99% cosa cambia?



Intervallo escluso: 127–600 GeV at 95% CL, 129–525 GeV at 99% CL

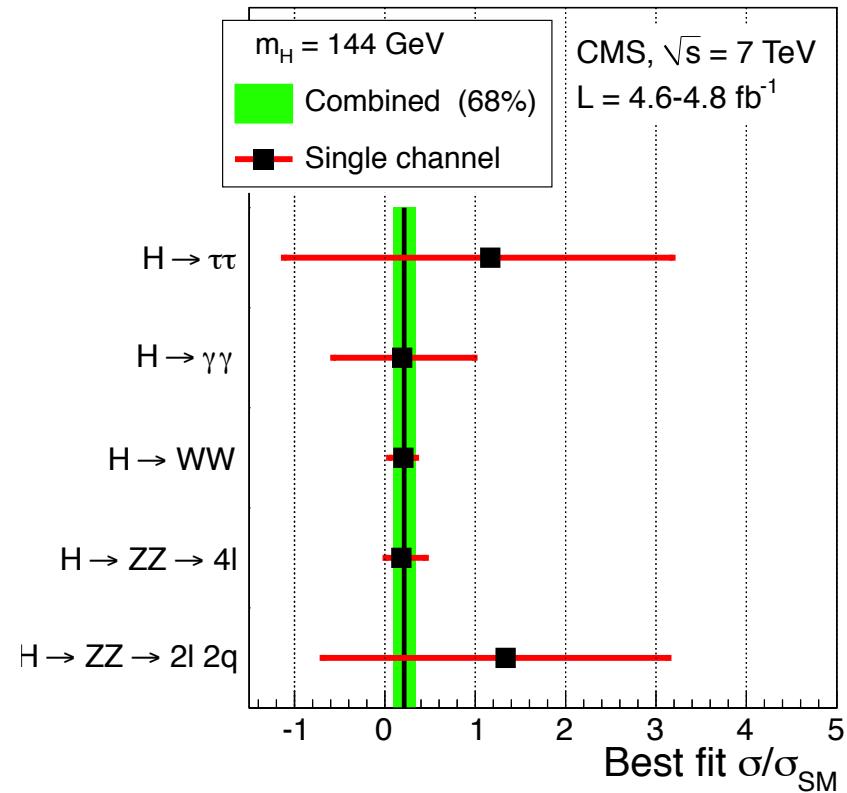
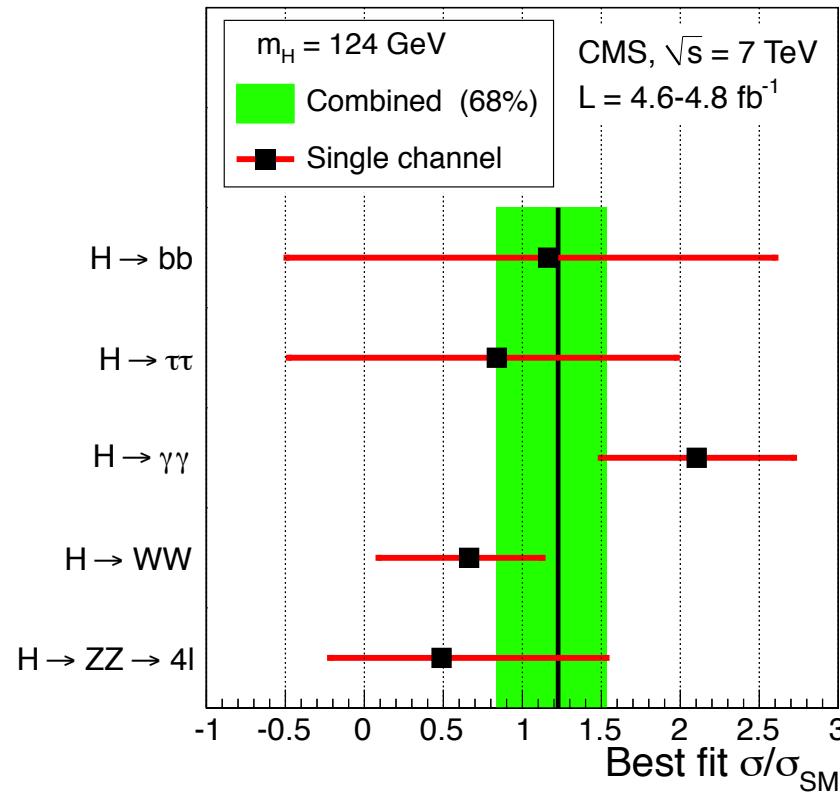


“misura” della sezione d’urto



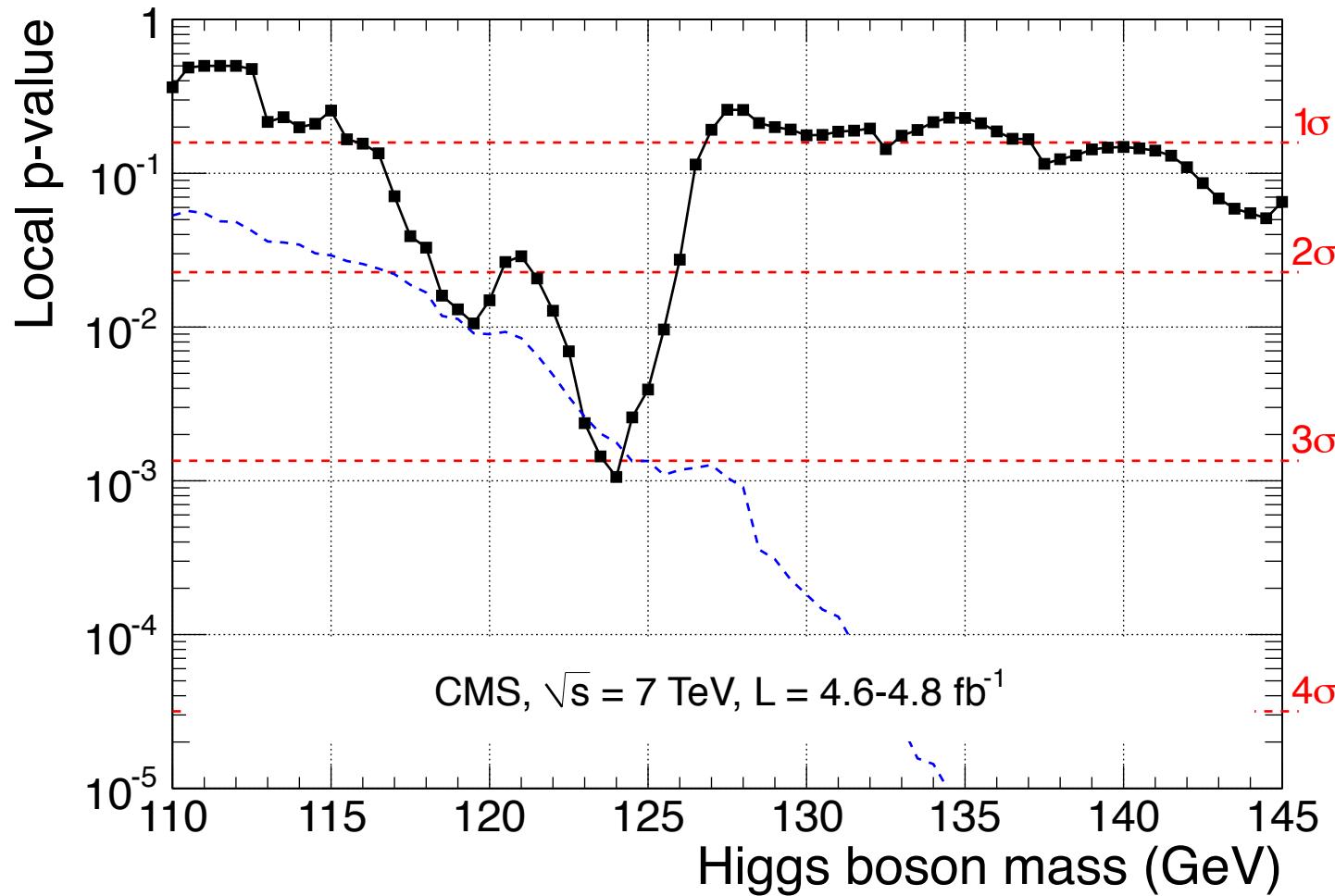
Confronto tra canali diversi

- Best fit σ/σ_{SM} separatamente nei vari canali
- Un modesto eccesso è presente consistentemente in tutti i canali nella regione di bassa massa.



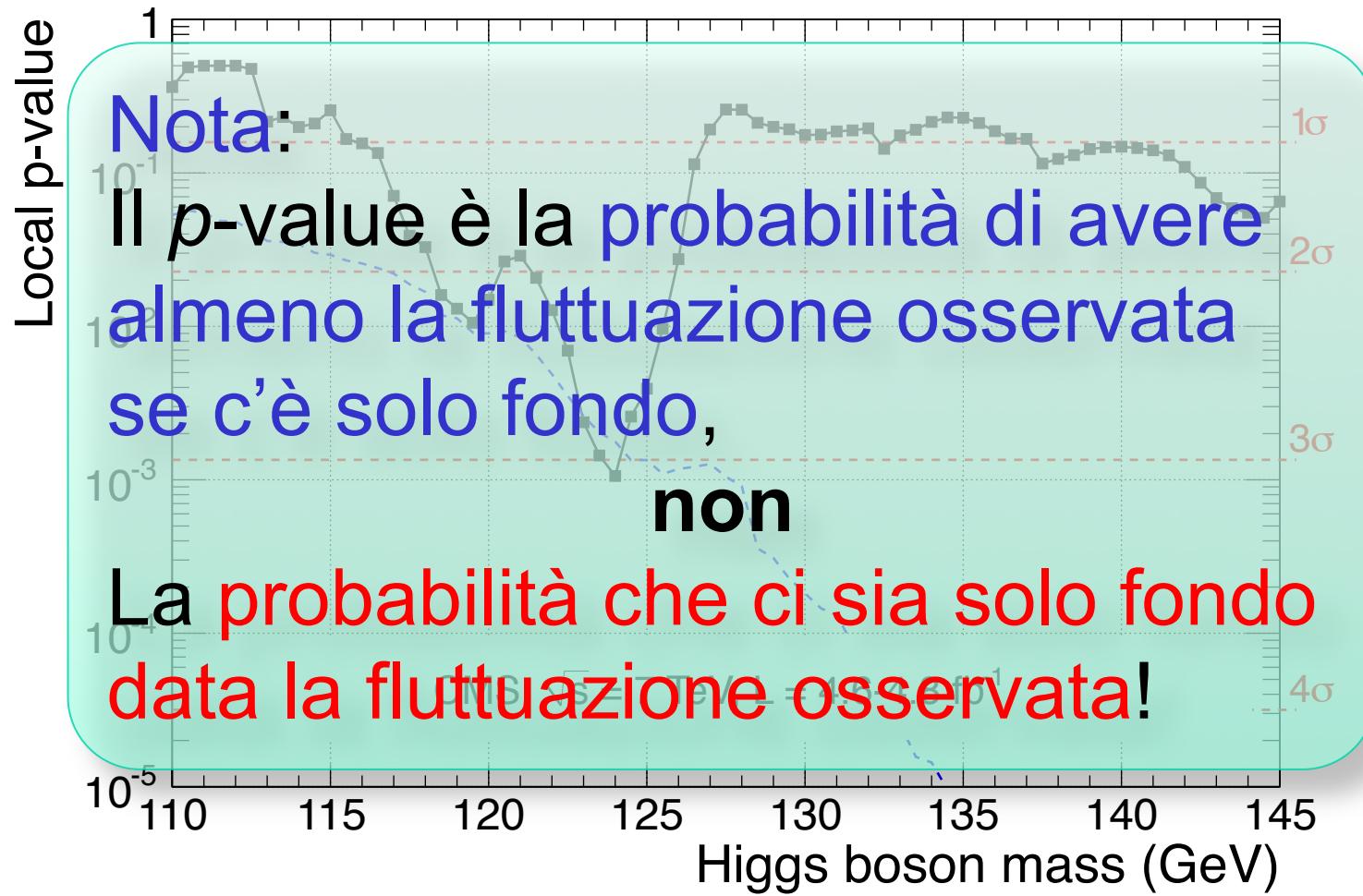
“Indizio” o fluttuazione?

Probabilità di avere una fluttuazione del fondo \geq di quella osservata



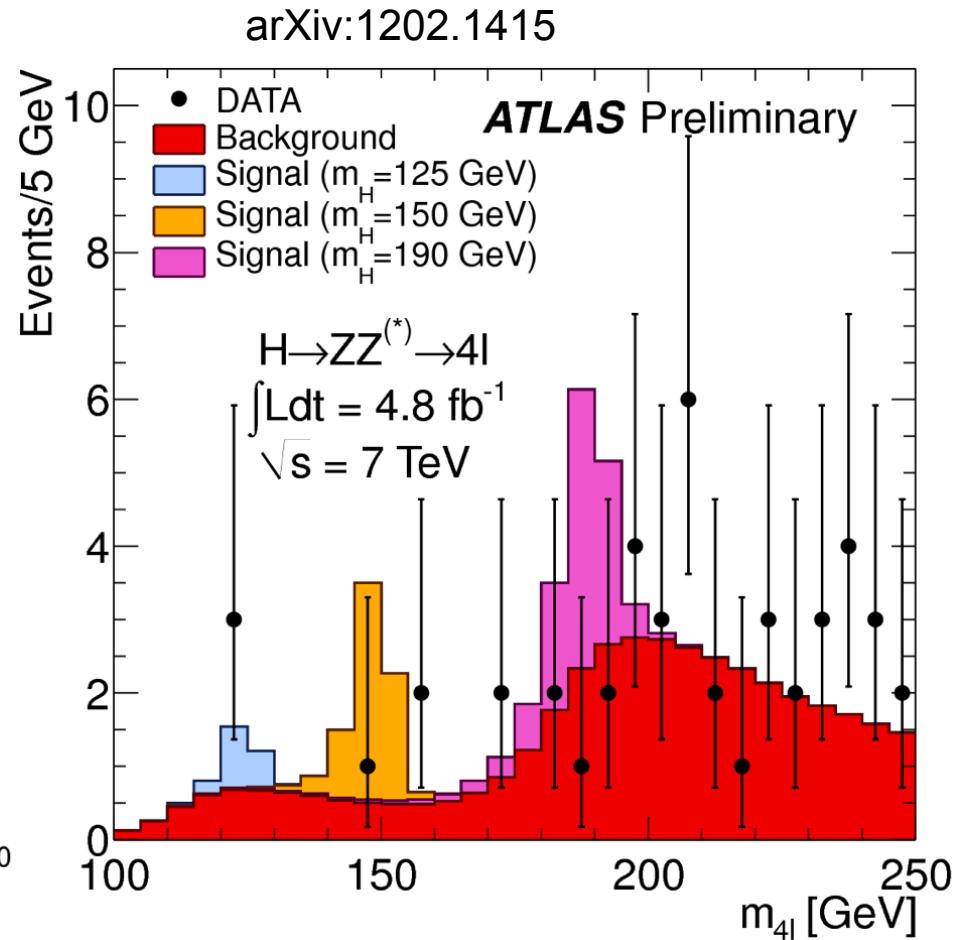
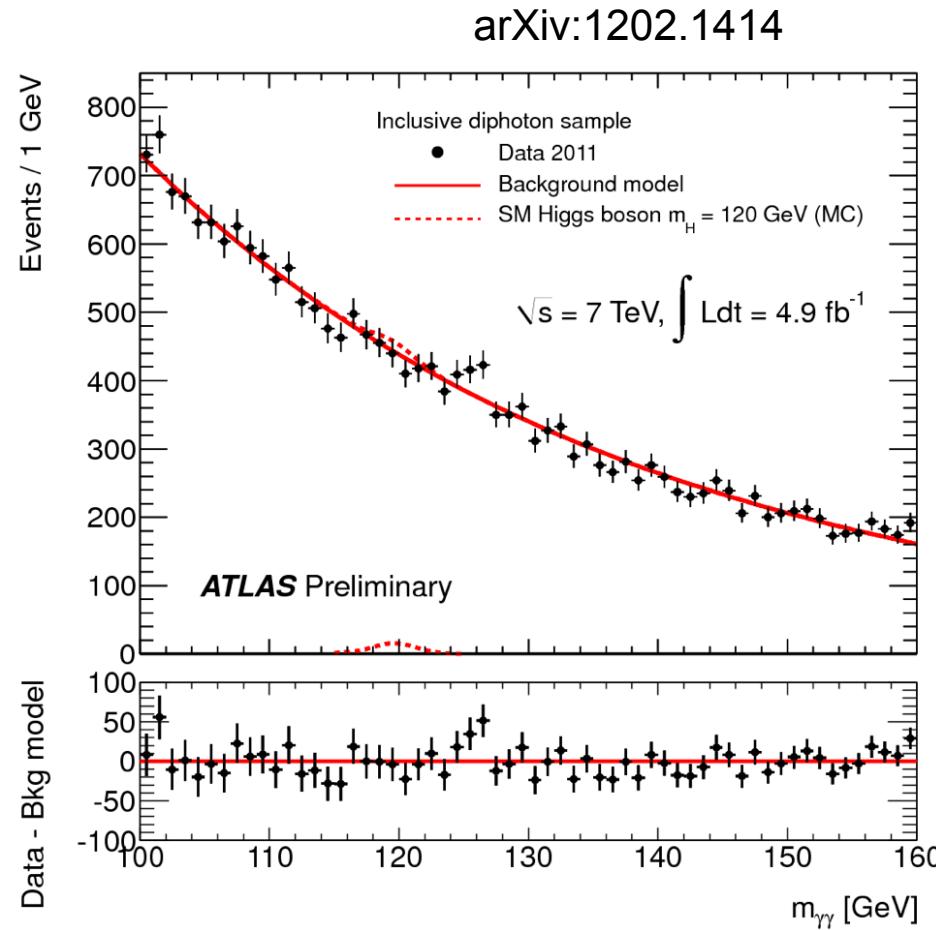
Significatività globale (LEE): 2.1σ (110-145 GeV) or 1.5σ (110-600 GeV)

“Indizio” o fluttuazione?





ATLAS: $\gamma\gamma, 4l$

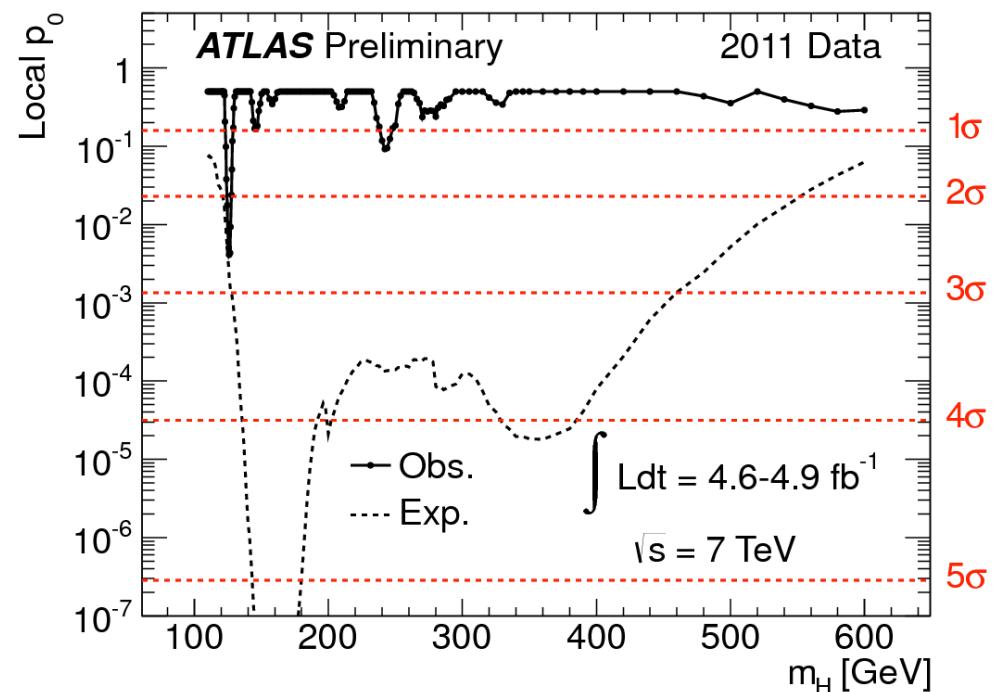
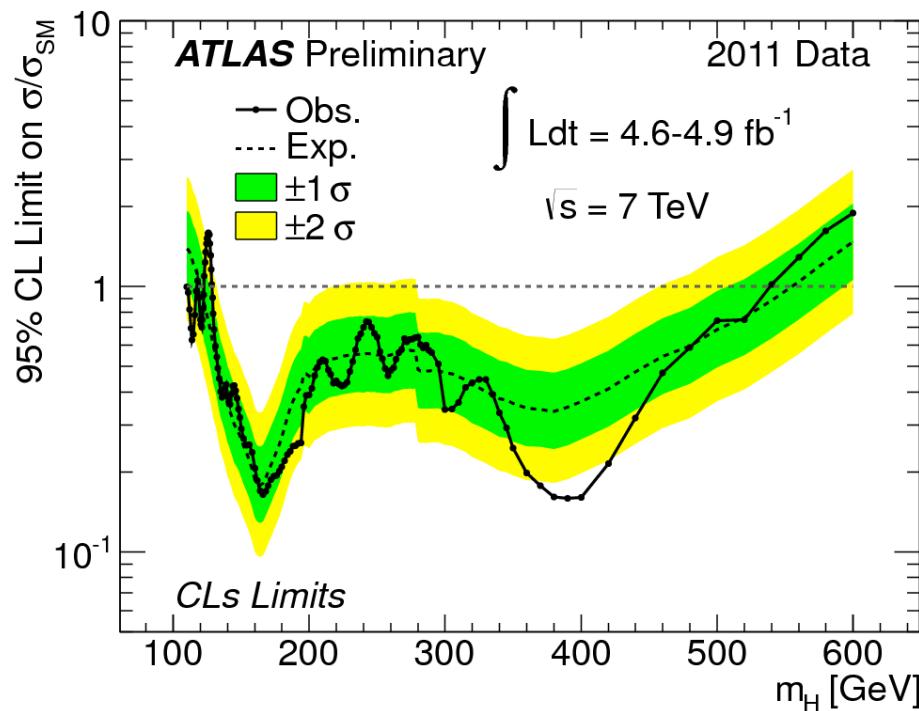




ATLAS: limite combinato



arXiv:1202.1408
ATLAS-CONF-2012-019



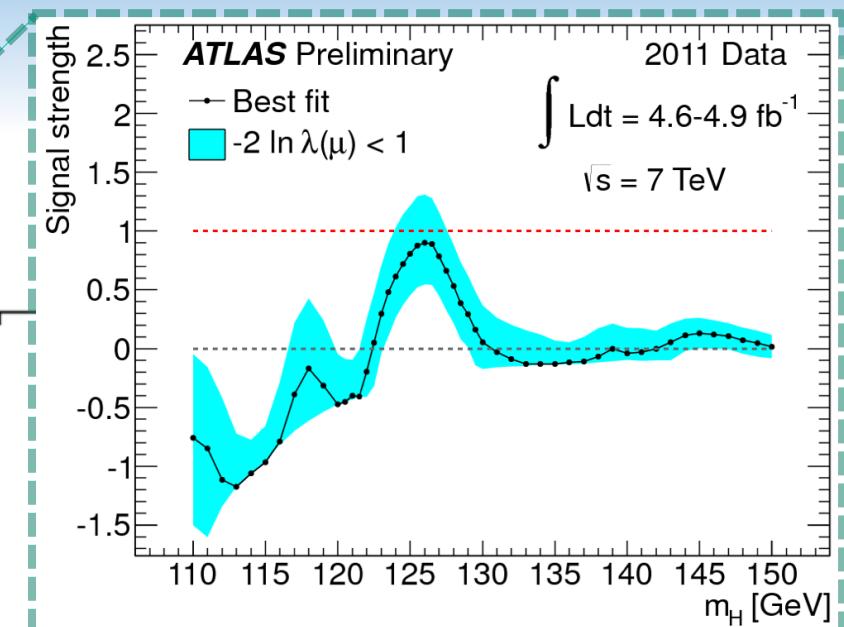
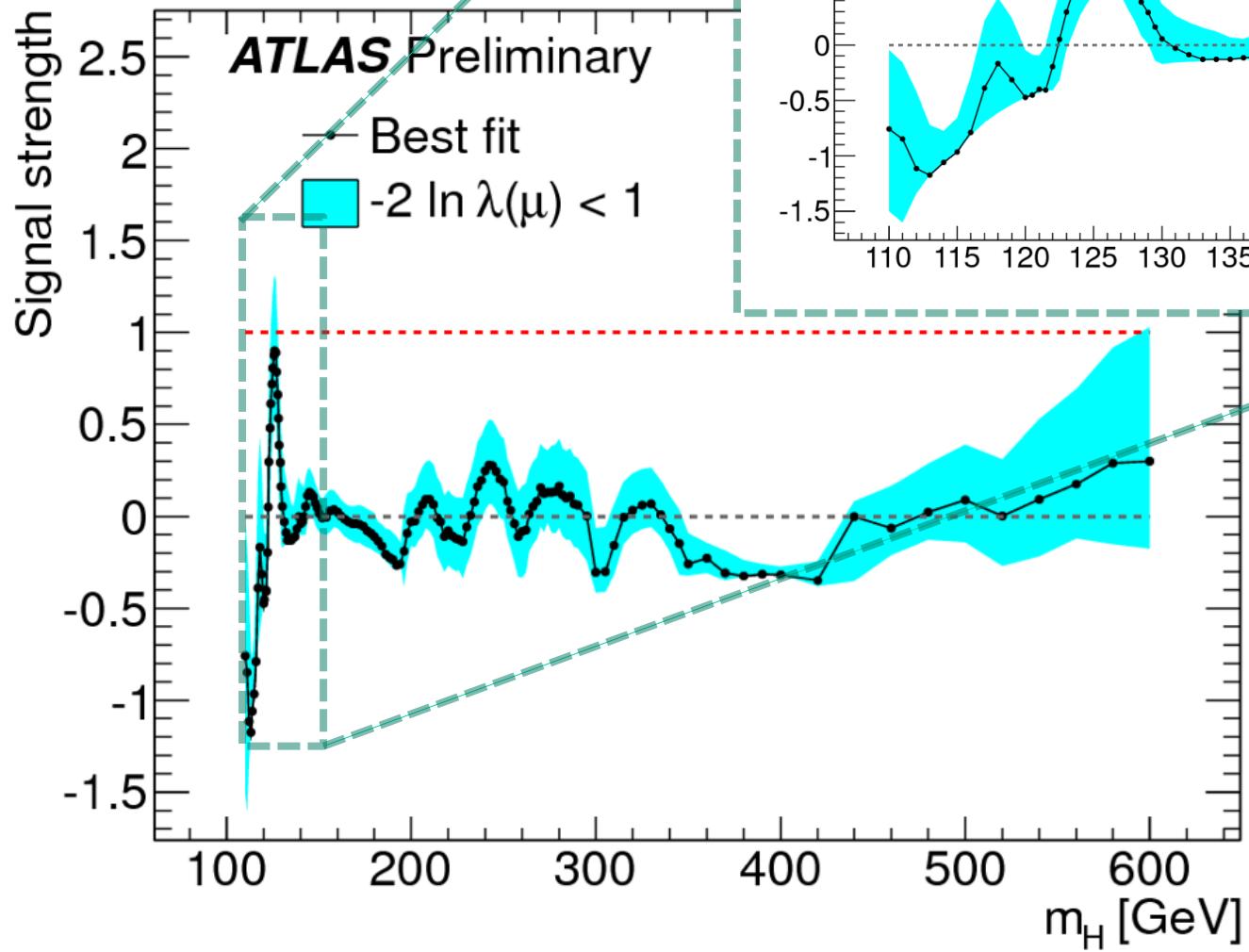
- Significatività locale: 2.8σ ($\gamma\gamma$), 2.1σ ($ZZ^* \rightarrow 4l$), 1.4σ ($WW^* \rightarrow llvv$)
- Significatività globale (LEE) 2.2σ (110-600 GeV)
- Intervalli esclusi: (95% CL): 110–115.5 GeV, 118.5–122.5 GeV, 129–539 GeV
(atteso: 120–550 GeV)



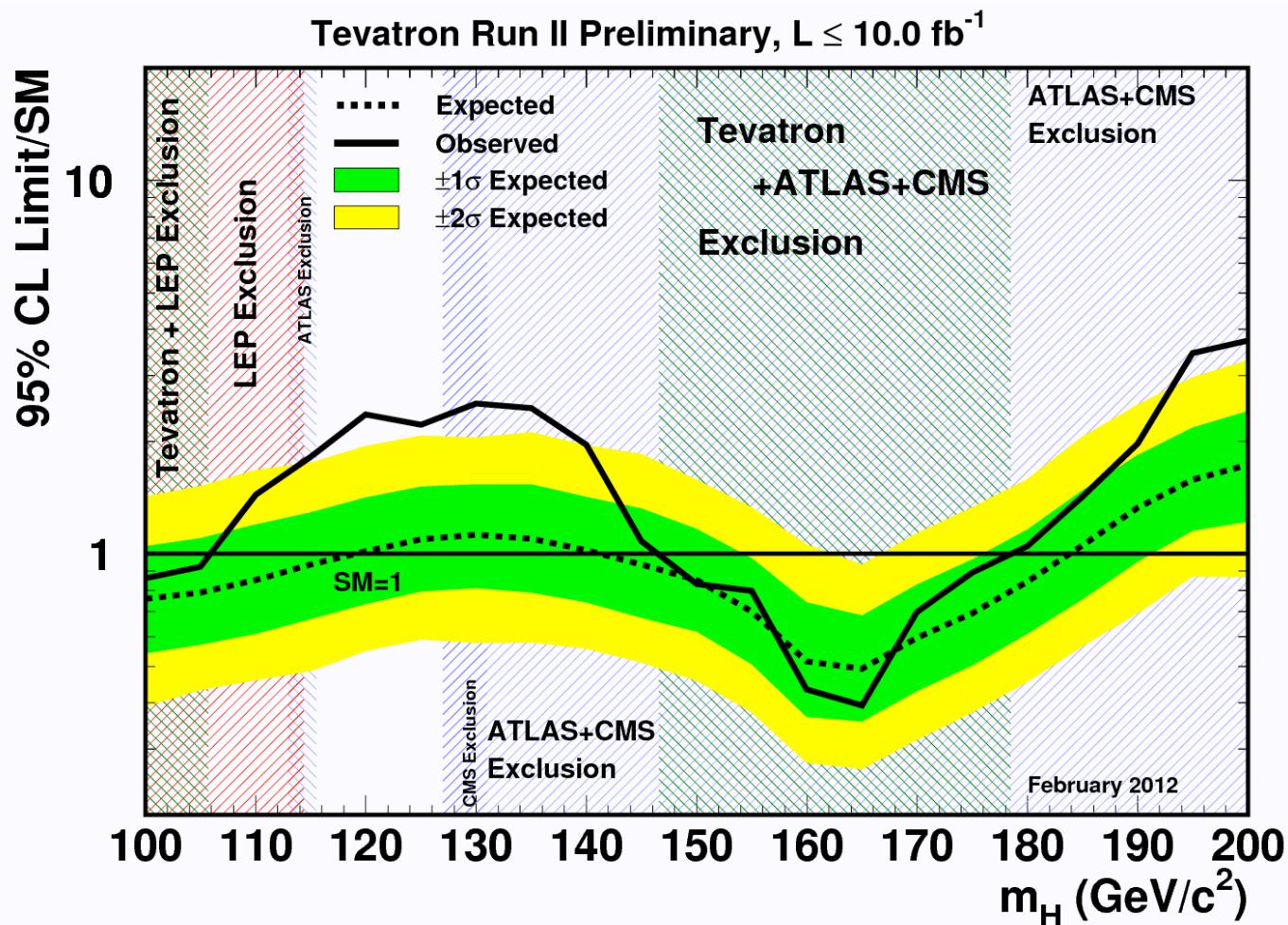
ATLAS



“sezione d’urto”



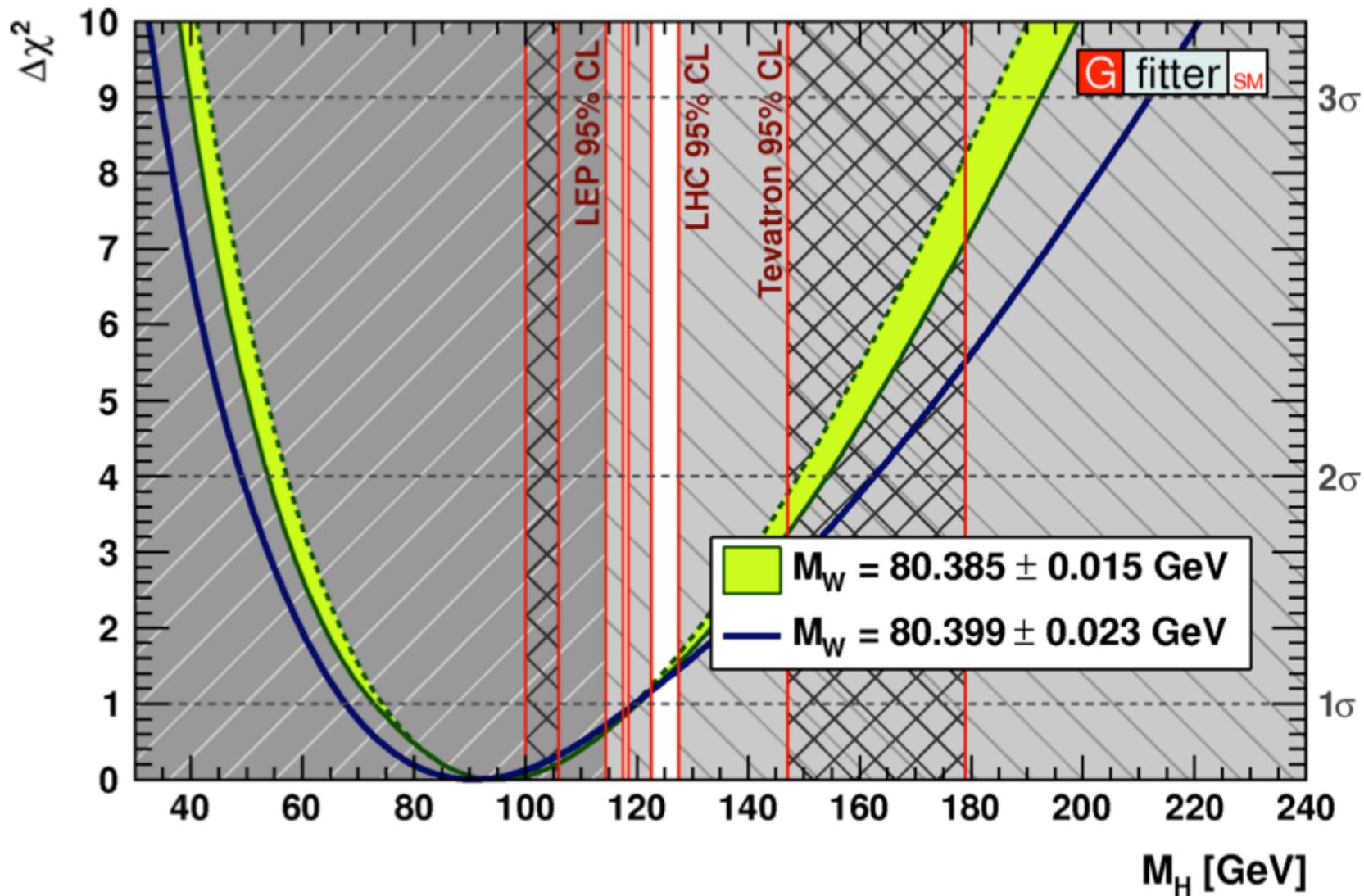
Ultimi risultati da Tevatron



arXiv:1203.3774

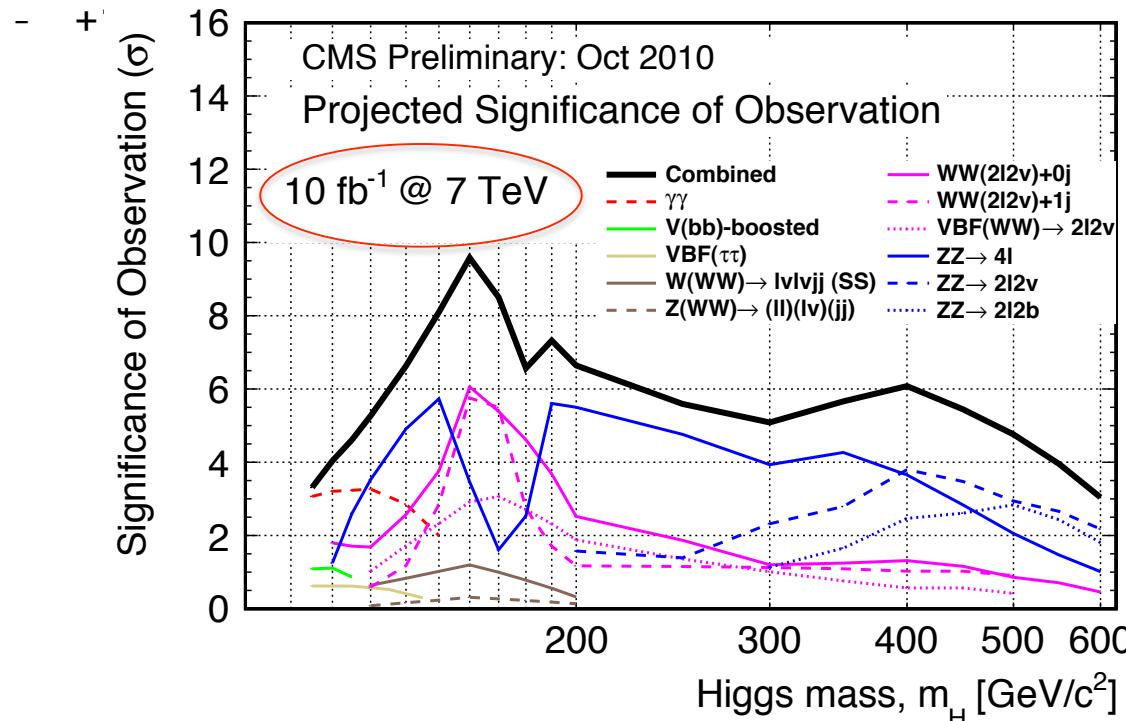
- Intervalli esclusi: 100-107 GeV, 147-179, attesi: 100-119 GeV, 141-184 GeV
- Significatività locale (120 GeV): 2.7σ , significatività globale (LEE); 2.2σ

Nuovo fit al modello standard



Conclusioni e prospettive

- L'energia è stata aumentata da 7 a 8 TeV. Le prime collisioni sono appena cominciate
- Nel 2012 LHC dovrebbe fornire circa 4 volte l'attuale luminosità integrata ($\sim 20\text{fb}^{-1}$)



- La scoperta o l'esclusione del bosone di Higgs è molto probabile entro il 2012